

# PPLN CRYSTAL NONLINEAR GAIN MEASUREMENTS FOR TABLETOP WAVEGUIDED OPTICAL PARAMETRIC AMPLIFICATION

NORA DRESLIN

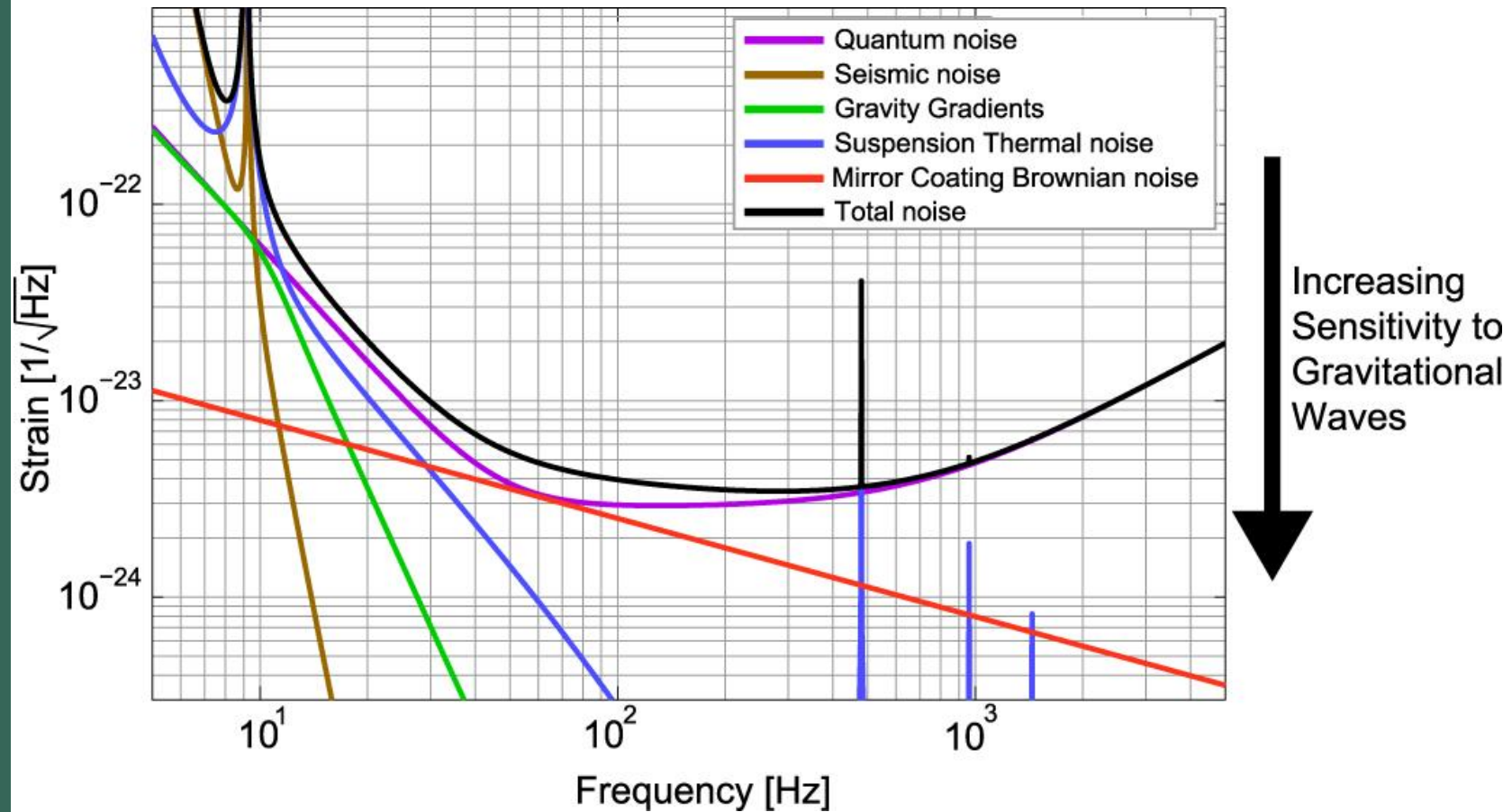
MENTORS: PROFESSOR RANA ADHIKARI, PETER CARNEY, AND  
SHRUTI MALIAKAL



LIGO SURF REU 2025

# MOTIVATION FOR PROJECT

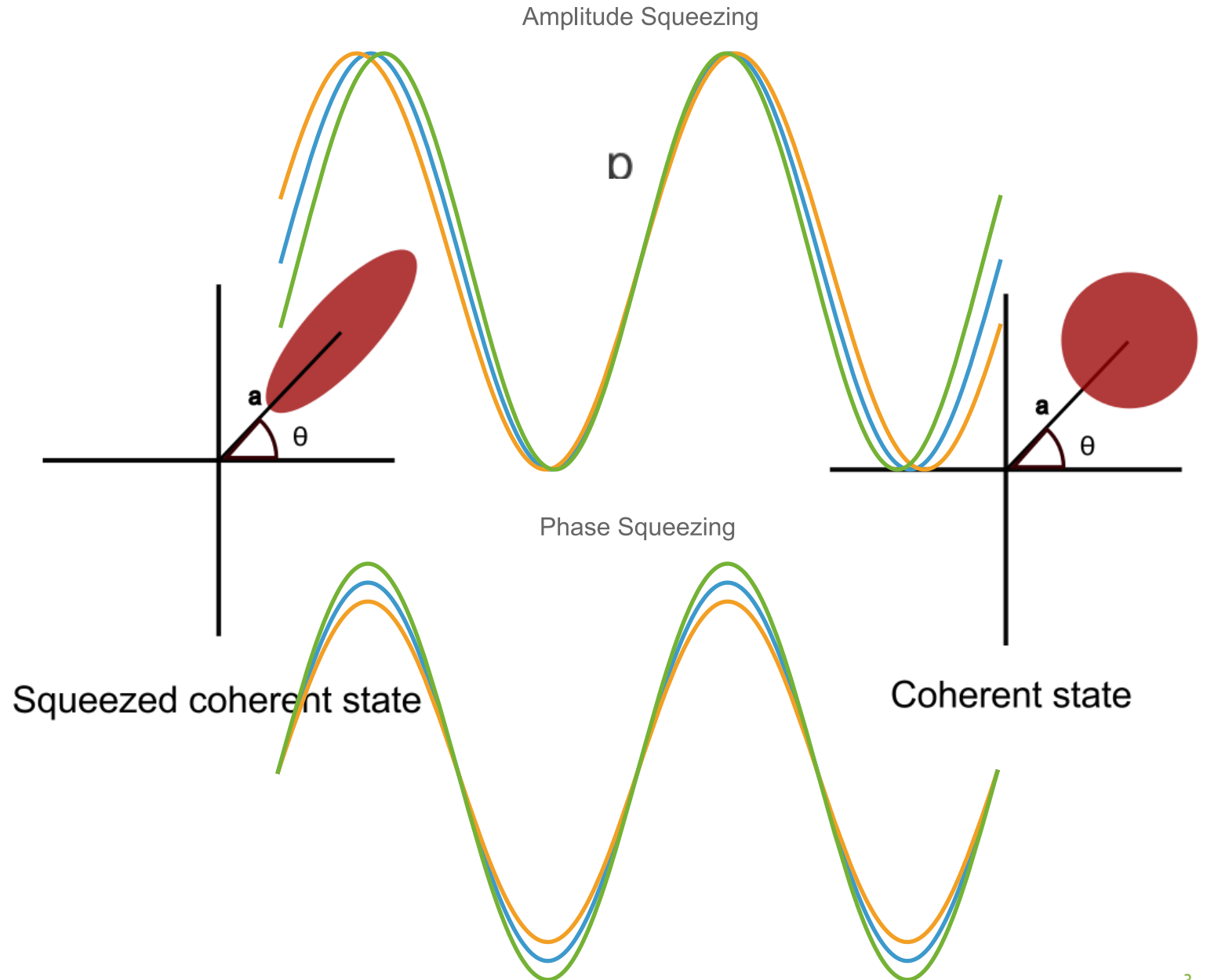
- LIGO's sensitivity to gravitational waves  $> 500\text{Hz}$  is mostly limited by quantum noise
- Shot noise due to uncertainty in phase
- Quantum back action/radiation pressure noise due to uncertainty in amplitude



S SY Chua *et al* 2014 *Class. Quantum Grav.* **31** 183001

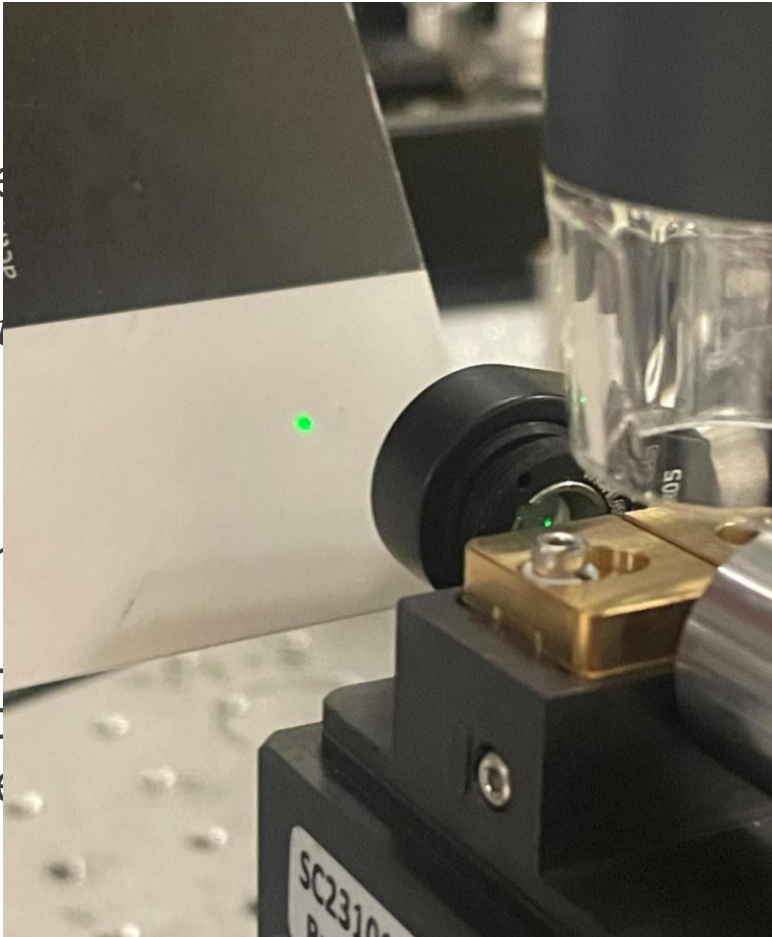
## BACKGROUND: QUANTUM SQUEEZING

- Quantum squeezing allows us to reduce uncertainty in one quadrature of light
- The overall uncertainty of the light must still obey the uncertainty principle,  $\Delta x \Delta p \geq \hbar/2$
- The squeezing parameter,  $r$ , determines the degree of squeezing



# BACKGROUND: CRASH COURSE IN NONLINEAR OPTICS

- The wave equation for the electric field  $E(t)$ , can be written as:  
$$\nabla^2 E(t) = -\frac{1}{c^2} \frac{d^2 P(t)}{dt^2}$$
where  $P(t)$  is the polarization, which is the response of the material to the applied electric field. For a linear material, the polarization is proportional to the electric field. For a nonlinear material, the polarization is a function of the electric field, and can be written as:  
$$P(t) = \epsilon_0 \chi^{(1)} E(t) + \epsilon_0 \chi^{(2)} E^2(t) + \epsilon_0 \chi^{(3)} E^3(t) + \dots$$
where  $\chi^{(1)}$  is the linear susceptibility,  $\chi^{(2)}$  is the second-order susceptibility, and  $\chi^{(3)}$  is the third-order susceptibility. The second-order susceptibility is the one that gives rise to second-harmonic generation (SHG).
- PPL allows for the generation of second-harmonic light by using a periodically poled material.



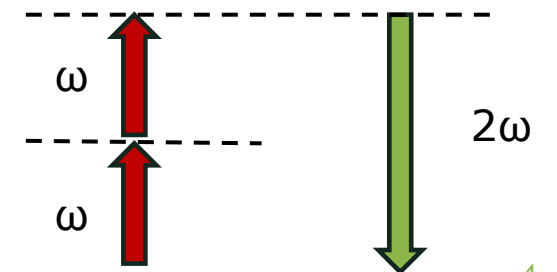
Ex. Second-harmonic generation (SHG)

Second-harmonic term

$$\tilde{P}^{(2)}(t) = 2\epsilon_0 \chi^{(2)} E E^* + (\epsilon_0 \chi^{(2)} E^2 e^{-i2\omega t} + \text{c.c.})$$

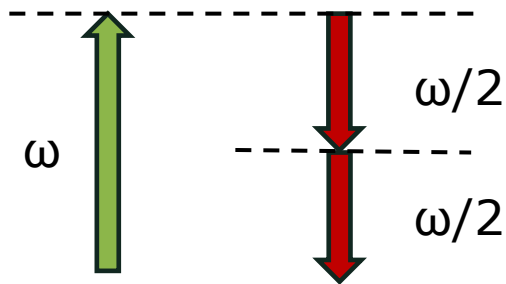
2 pump photons  $\rightarrow$  1 signal photon

Energy level diagram of SHG



# BACKGROUND: GENERATION OF SQUEEZED LIGHT

## Energy level diagram of SPDC

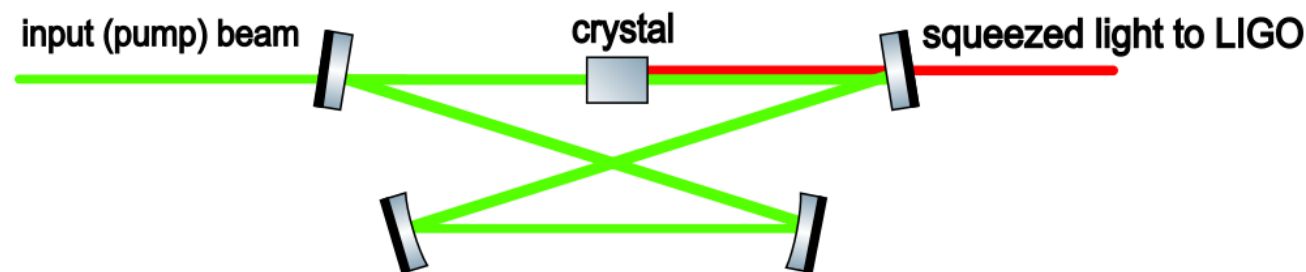


Radiation of  $\omega/2$  frequency light due to nonlinear interactions with vacuum field in crystal

- Use a nonlinear optical process called Type 0 spontaneous parametric down conversion (SPDC)
- Converts a pump photon to a pair of photons of half the original frequency such that all photons have the same polarization
- Generated pairs coupled in polarization and phase and therefore squeezed

## BACKGROUND: LIGO'S CURRENT SQUEEZING METHOD

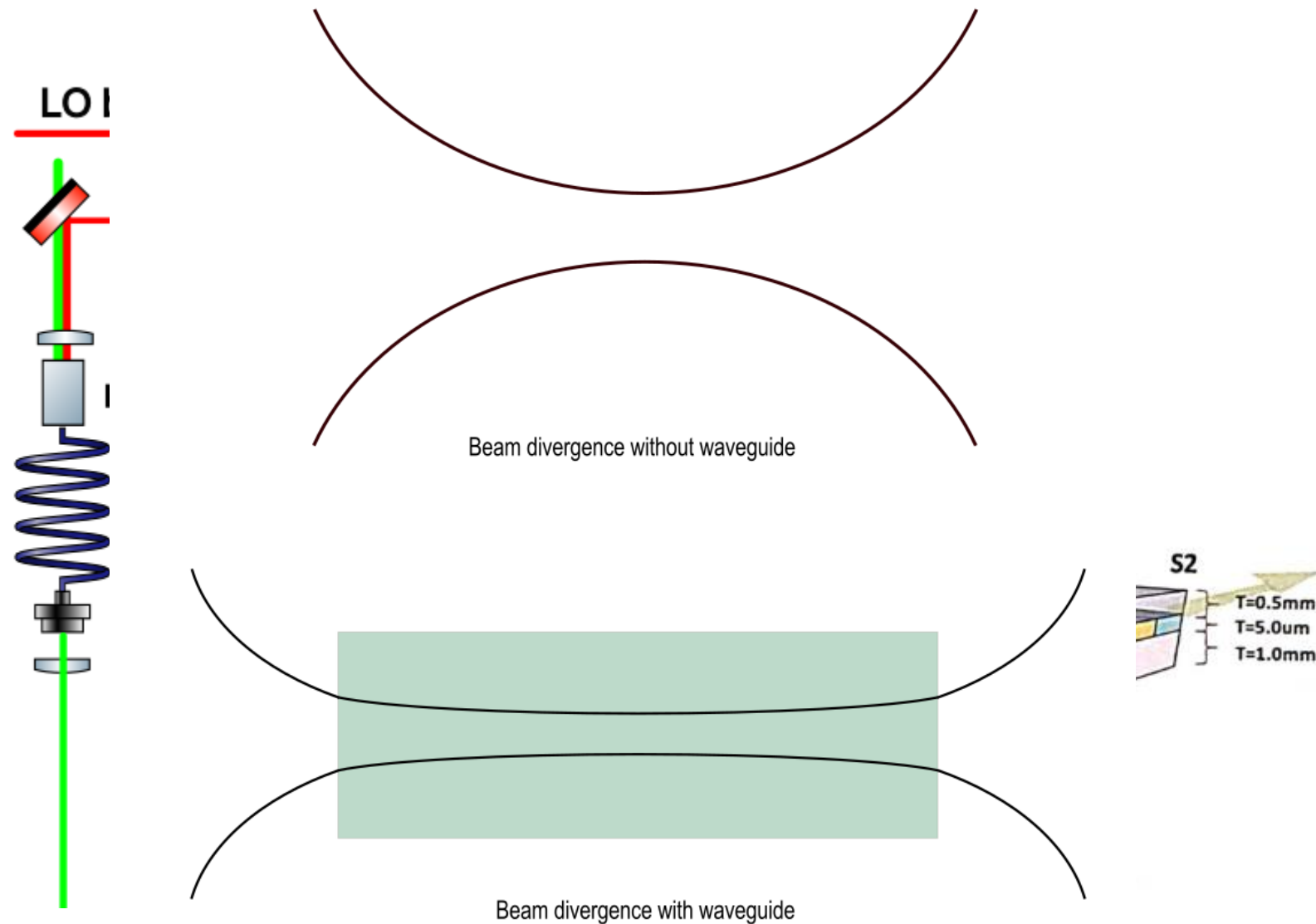
- LIGO uses an optical parametric oscillator (OPO) to generate squeezed light which is mixed with the LIGO beam and squeezes it
- This consists of a KTP bulk crystal inside of a bowtie cavity



**OPO Setup**

## BACKGROUND: SIMPLIFYING THE SQUEEZING METHOD

- This project aims to simplify the current squeezing method and eliminate cavity loss present in OPO
- Similar process to OPO called waveguided optical parametric amplification (WOPA)
- Generate squeezed light with a single pass through a periodically poled Lithium Niobate (PPLN) waveguide



Simplified WOPA setup

# LIMITS TO SQUEEZING LEVEL IN WOPA

- There exist multiple sources of potential loss in the WOPA system
  - Polarization mismatch
  - Mode mismatch
  - Fiber misalignment
  - BHD visibility
- To better identify the sources of loss affecting measured squeezing level, we calculated our expected squeezing level from the nonlinear gain of the process generating the squeezed light



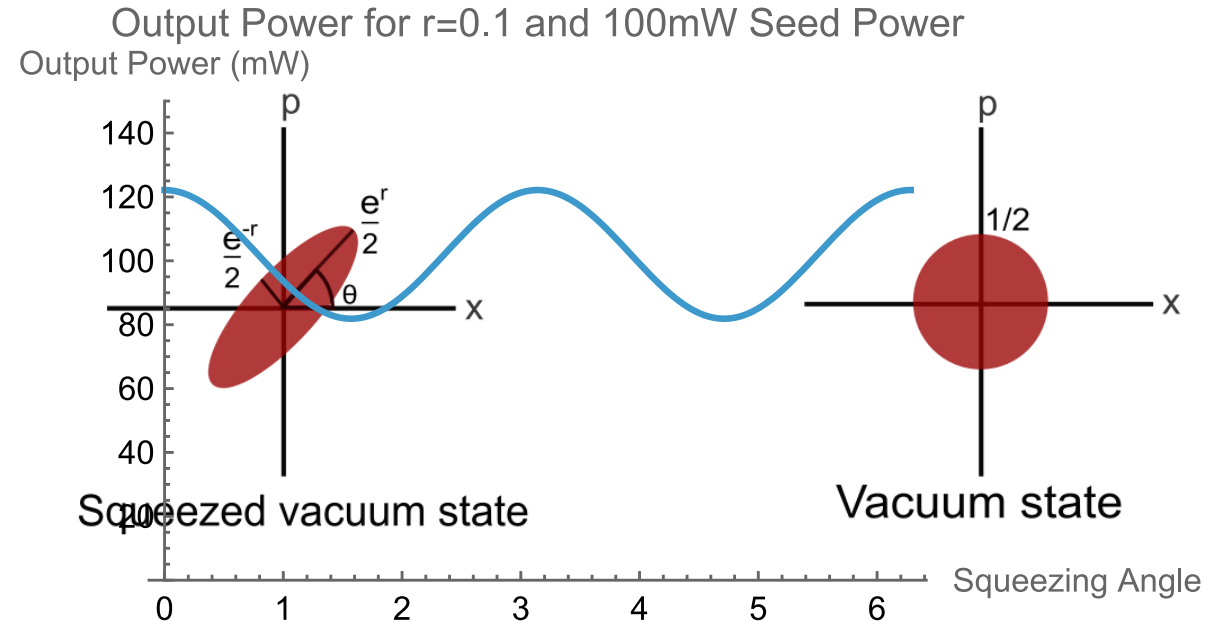
# SQUEEZING LEVEL AS A FUNCTION OF NONLINEAR GAIN

- The output power can be written as a function of the squeezing parameter and angle

$$P_s = \alpha^2 (\cosh 2r + \cos 2\psi \sinh 2r)$$

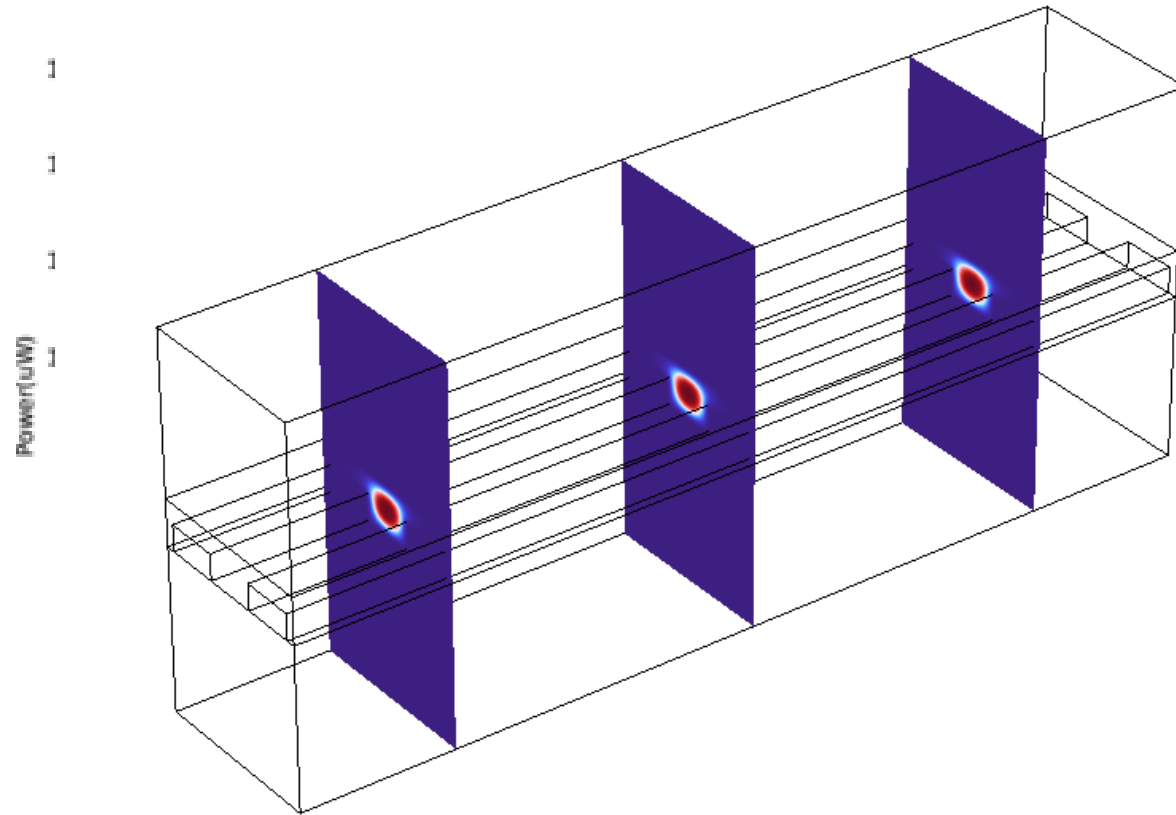
- We can use this to solve for  $r$  and calculate the expected squeezing level as

$$Sq(dB) = -10 \log_{10}(e^{-2r})$$



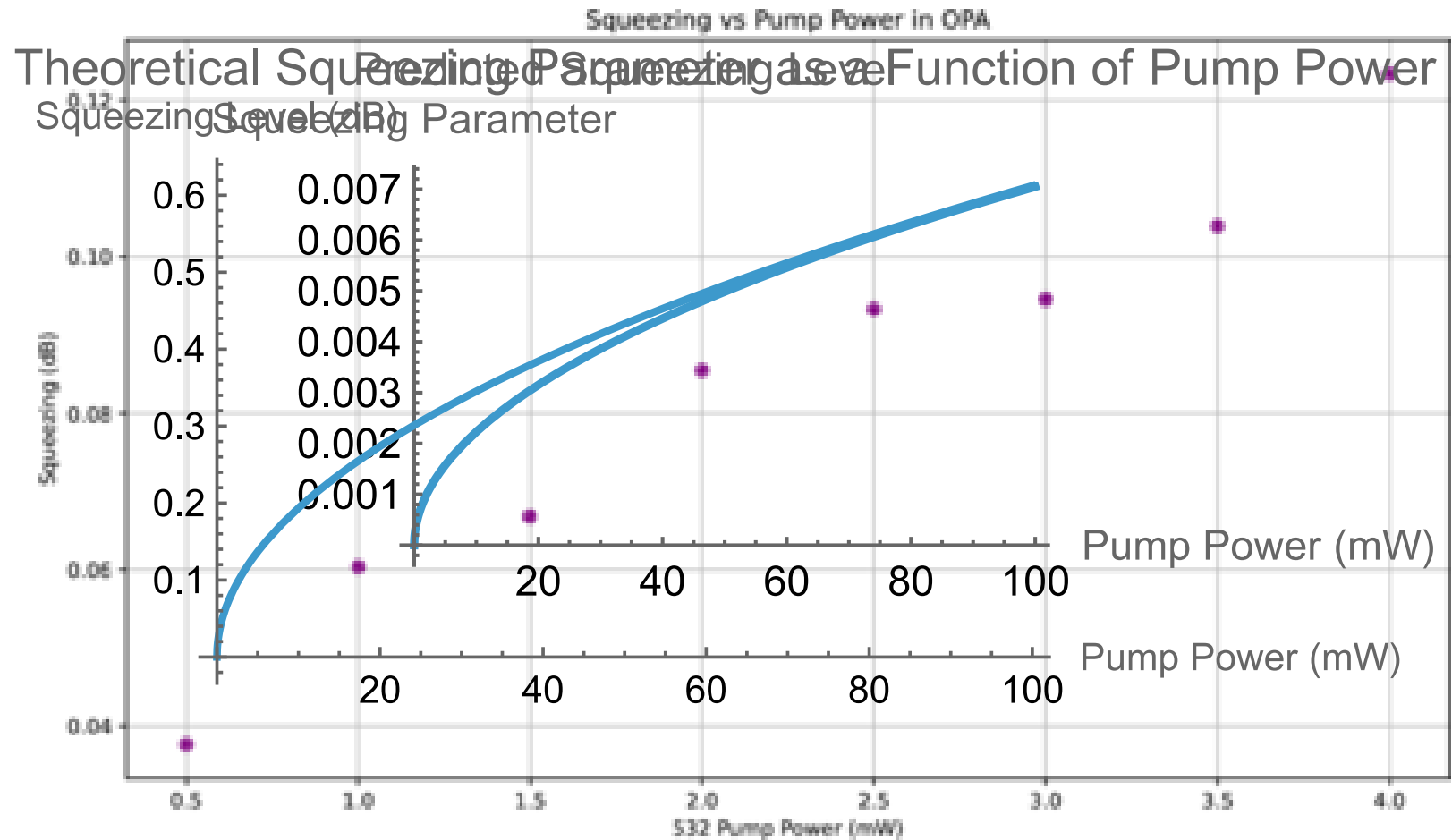
# INITIAL NONLINEAR GAIN MEASUREMENT METHOD

- First align 1064nm beam to crystal axis by maximizing SHG
- Then maximize 532nm transmission through crystal while maintaining SHG
- Modulate signal beam phase and measure amplitude of peaks



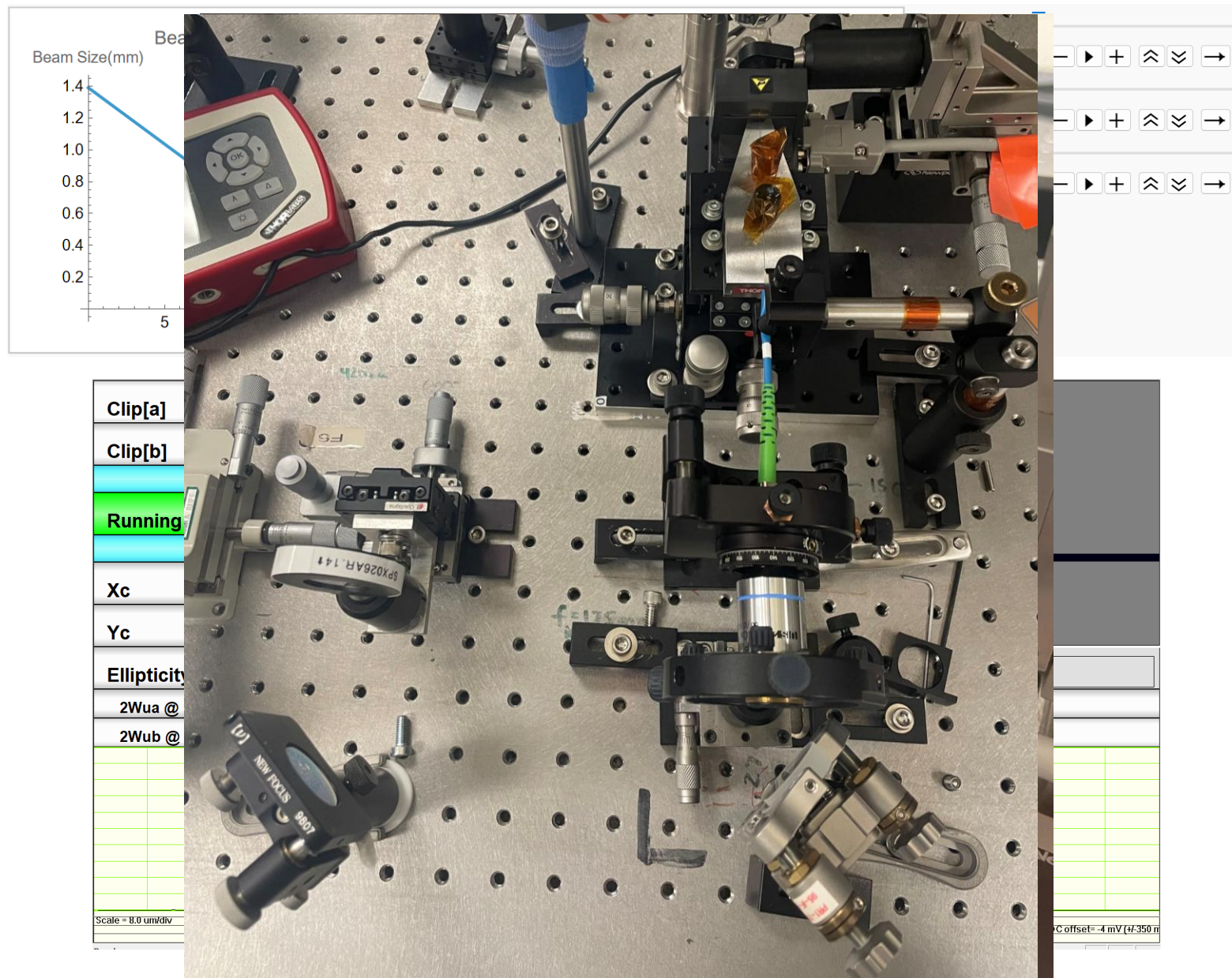
## INITIAL NONLINEAR GAIN MEASUREMENT RESULTS

- We measure an initial maximum gain of 0.12dB for 4mW of pump power
- This agrees with the previously measured maximum squeezing level of 0.13dB
- Extrapolating our data predicts a squeezing level of 0.612dB for 100mW of pump power



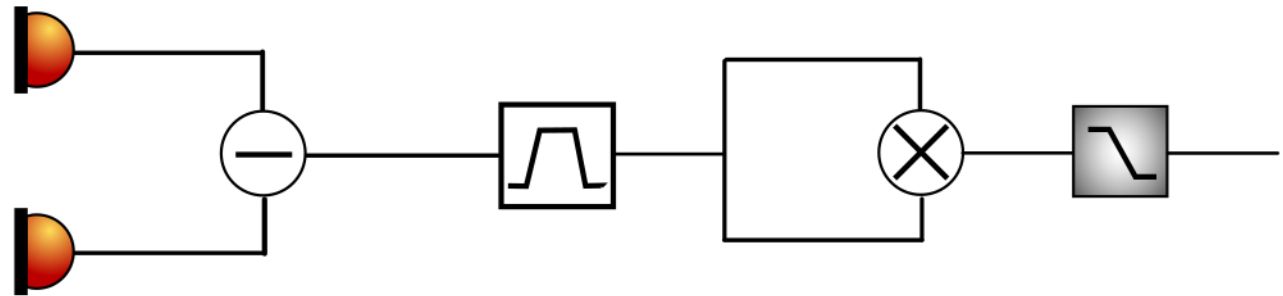
# TUNING GAIN/SQUEEZING LEVEL

- Polarization measurements and tuning
  - By tuning the polarization, we were able to increase the nonlinear gain by 0.05dB or 4.25%
- Fiber and free-space coupling
  - MFD of crystal 4.83 $\mu$ m x 4.16 $\mu$ m
- Crystal temperature



# MEASURING SQUEEZING

- To measure squeezing, we use a balanced homodyne detector (BHD) and modulate the phase of our local oscillator (LO)
- BHD visibility improved slightly from previous squeezing measurements to 62%
- The two PDs of the BHD measure fluctuations in shot noise due to squeezing and anti-squeezing



## NEXT STEPS...

- Optimize pump power and crystal alignment to measure squeezing
  - Via simultaneous alignment for SHG or by measuring nonlinear gain
- Free space coupling
  - Would eliminate fiber losses in polarization, mode, and power
- Laser realignment
  - Reduce power fluctuations and loss in the system

# THANK YOU!

- My mentors, Peter and Shruti
- My lab partner, Tanisha Ray
- Professor Adhikari
- Everyone in the lab
- My parents