

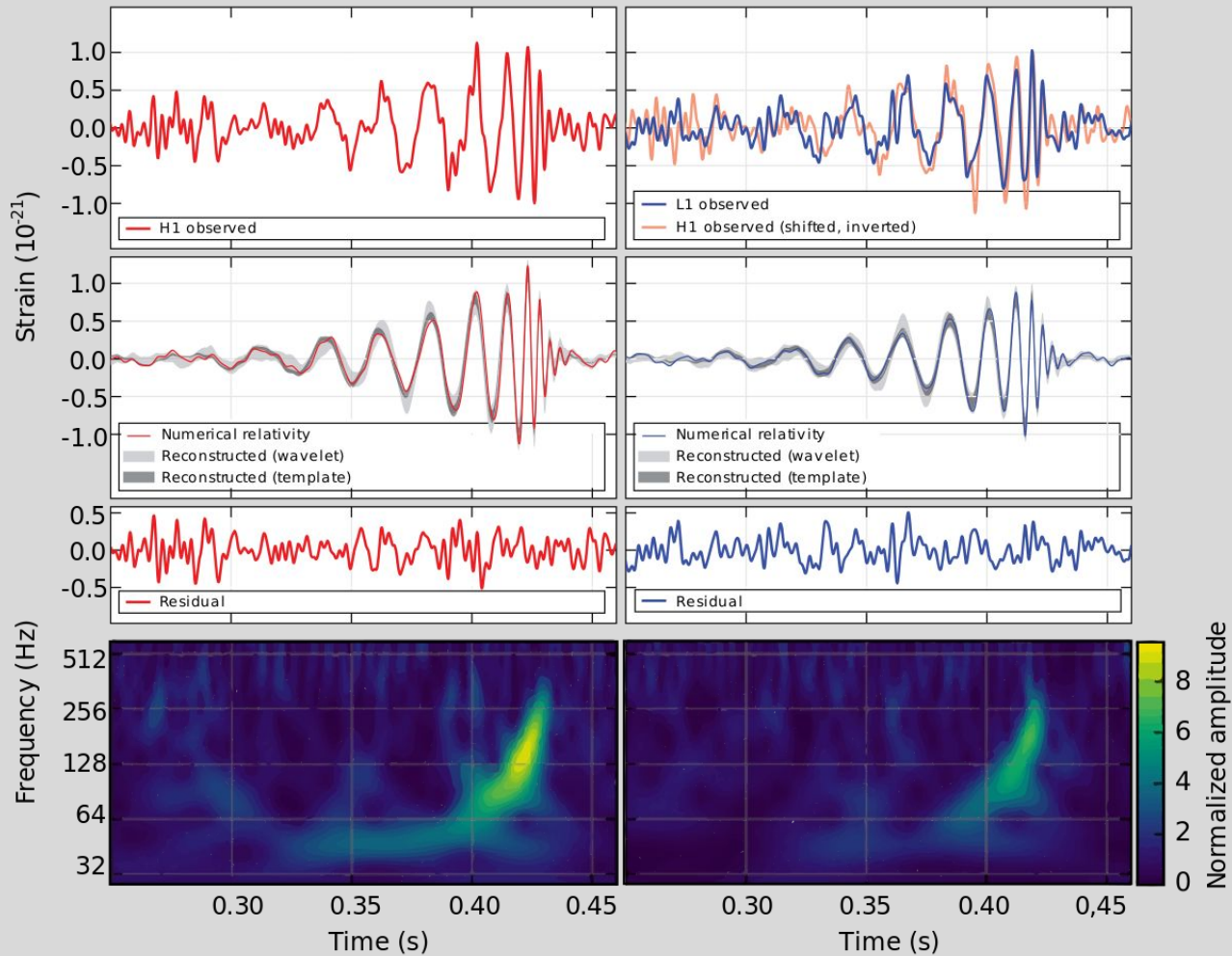
Searching for Compact Binary Mergers

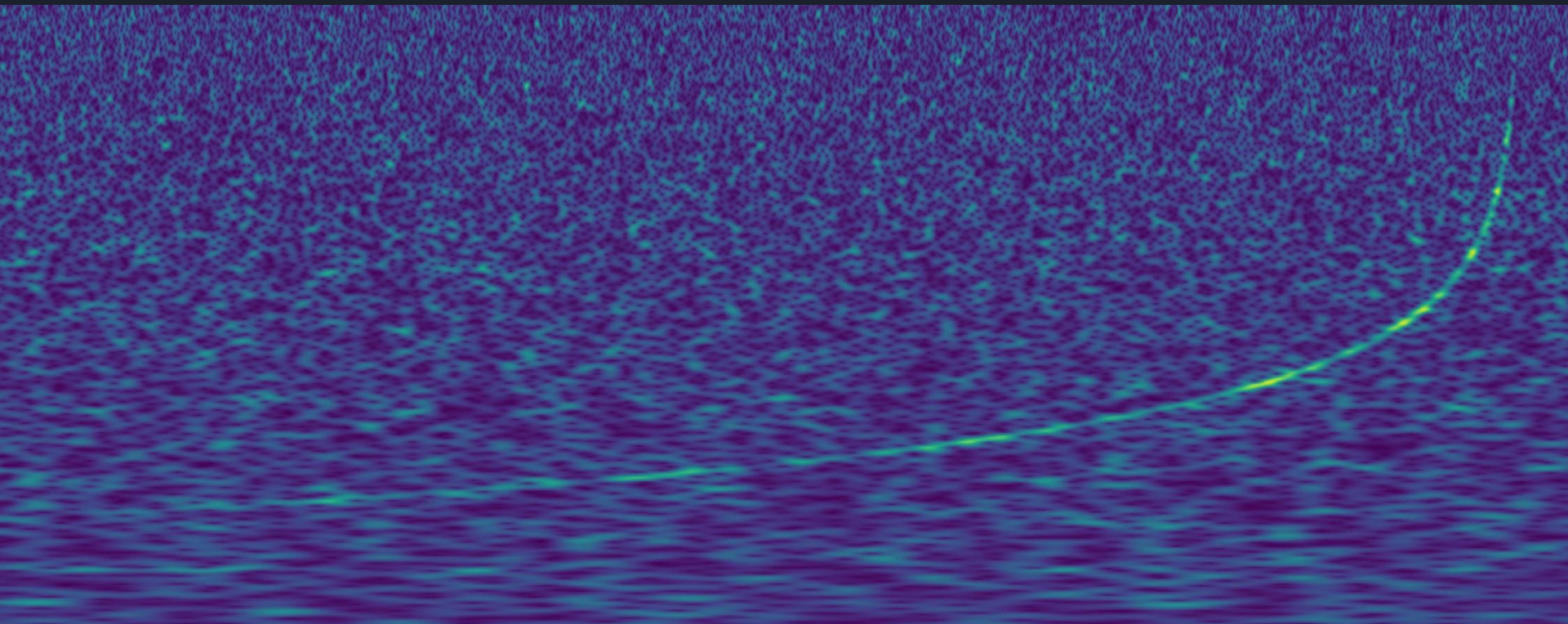
LSC Open Data Workshop, March 2018
Alex Nitz



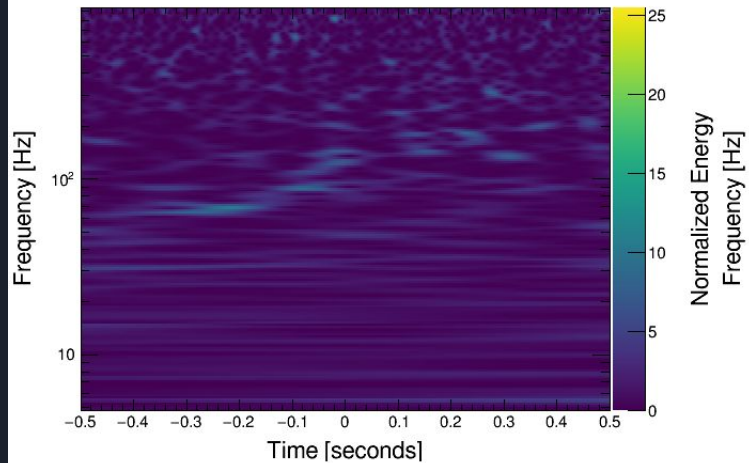
Hanford, Washington (H1)

Livingston, Louisiana (L1)

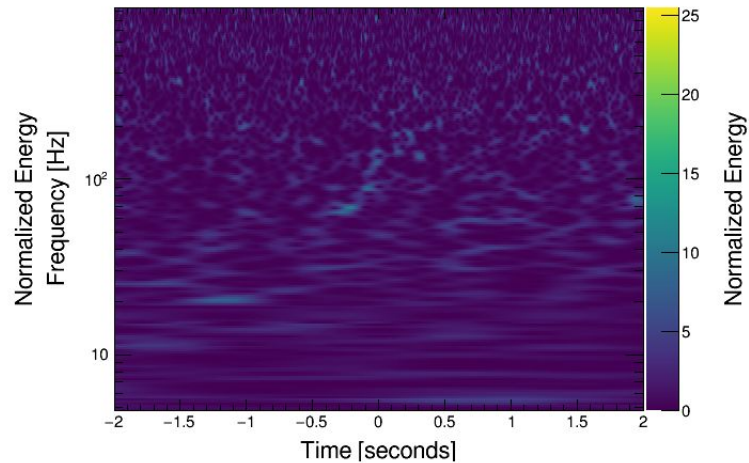




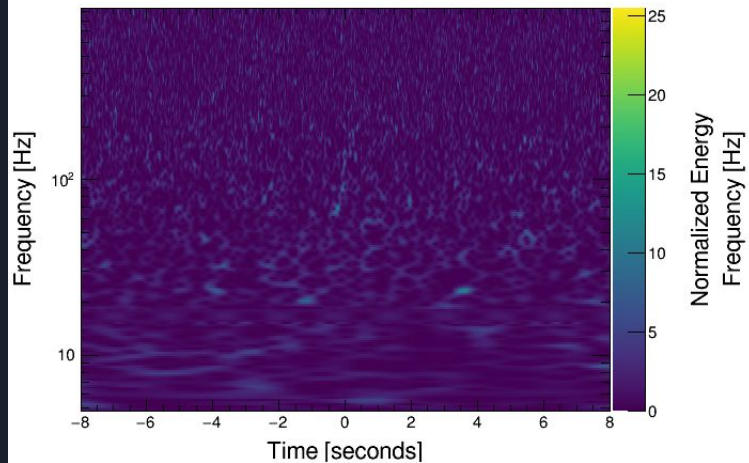
L1:GDS-CALIB_STRAIN at 1180922494.490 with Q of 38.7



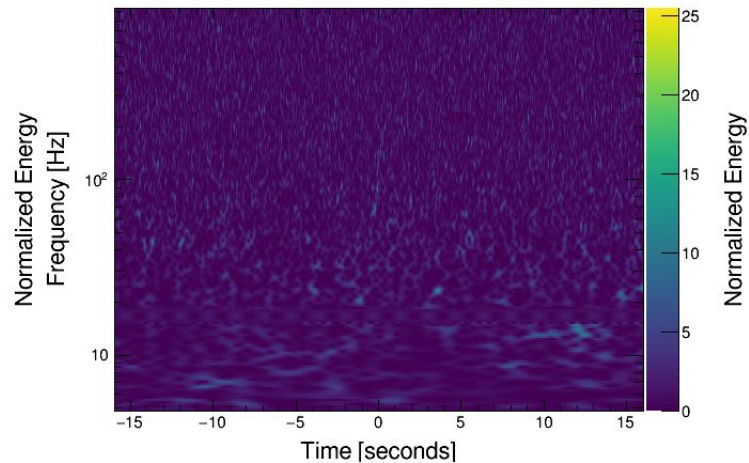
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LIGO data analysis in a nutshell

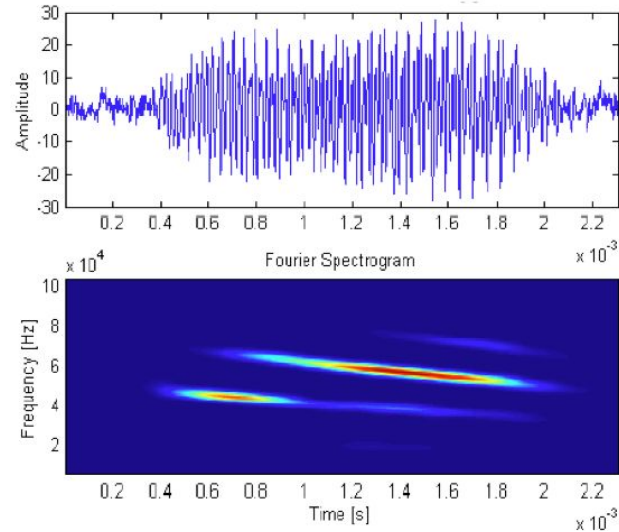
Template Searches



Templates:
anticipated GR
waveforms as a
function of (limited)
source parameters
find template that
fits data best

- Confident detection & parameter estimation
- need exact source model, may fail, if theory does not match Nature

Burst Searches



- Look for excess power time – frequency patterns consistent in multiple detectors
- can search for un-modeled & un-expected sources

LIGO data analysis in a nutshell

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PyCBC

gstLAL

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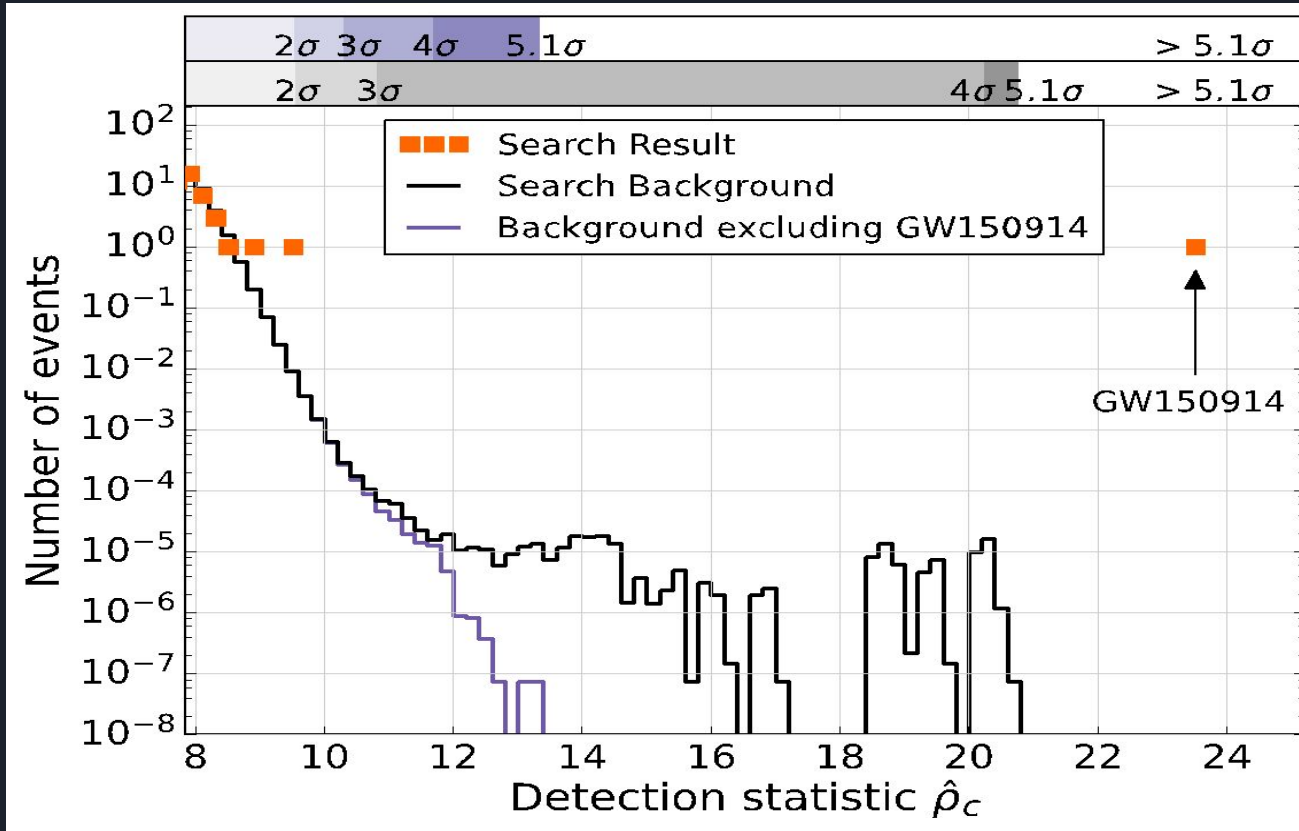
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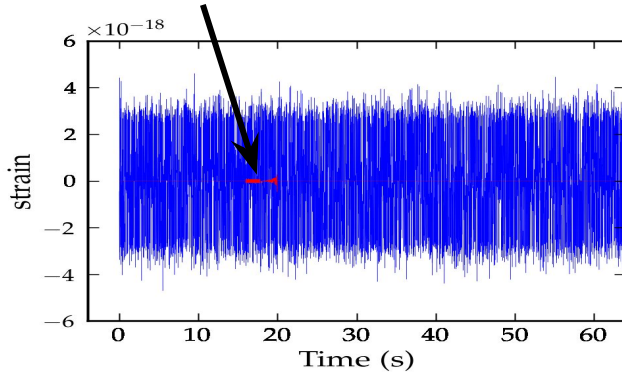
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Goal will be to explain this plot.



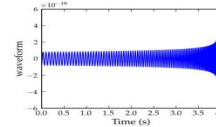
Matched Filtering to extract the signal

Signal embedded in strain data $s(t)$

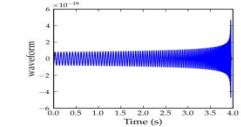


\otimes

Model waveform filters: $h(t)$

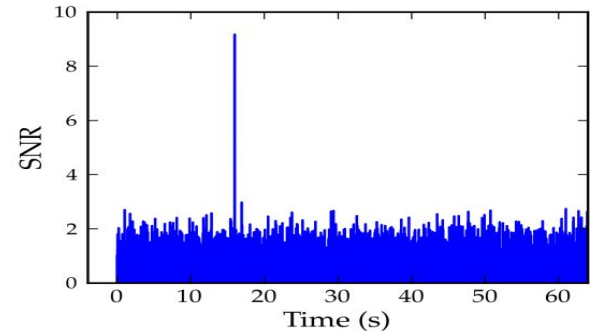


...

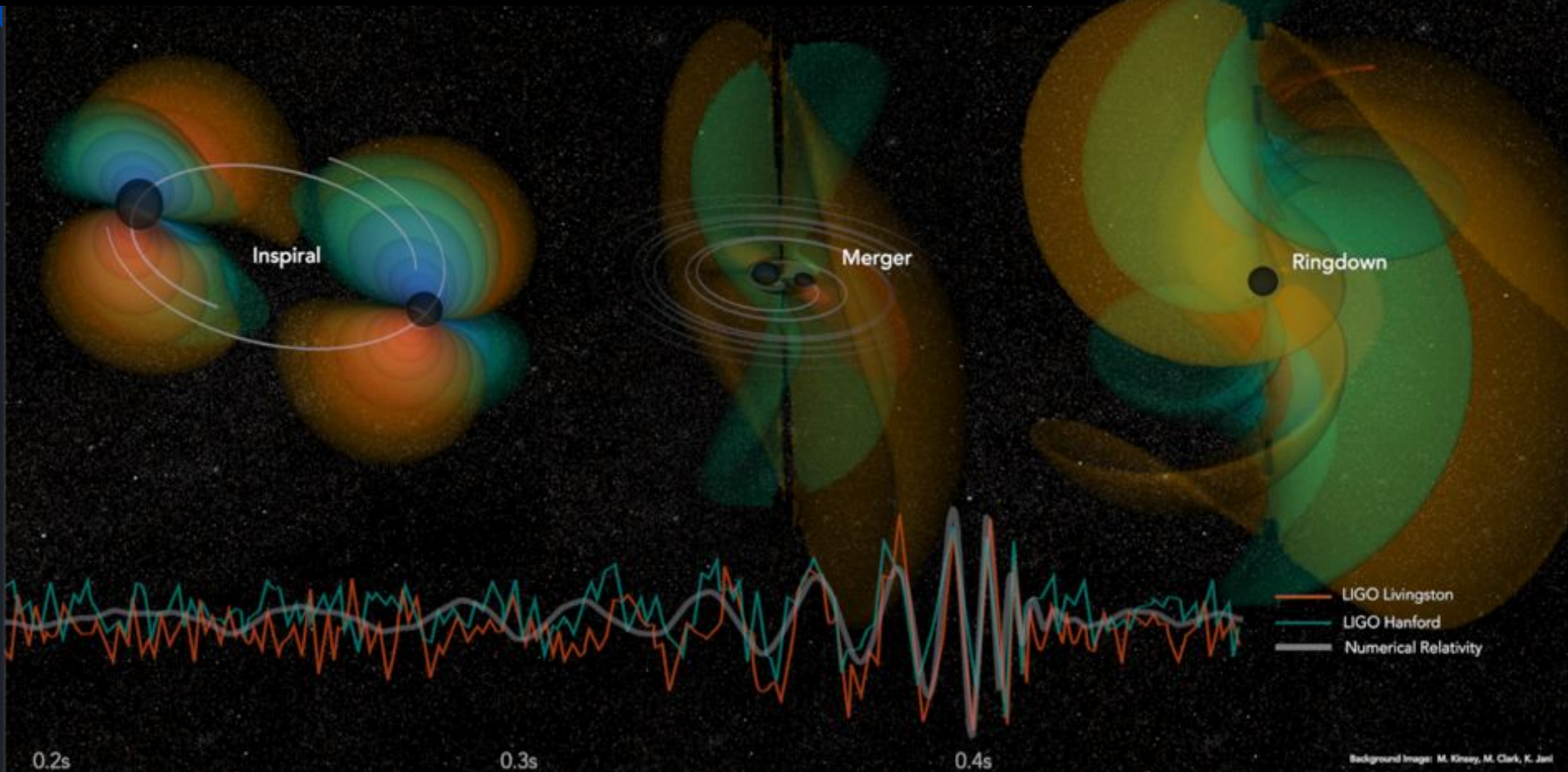


$$\rho = \frac{(s|h)}{\sqrt{(h|h)}} \quad (a|b) = 4 \int_0^\infty \frac{\tilde{a}(f)\tilde{b}^*(f)}{S_n(f)} df$$

Optimal filter for **Gaussian** noise.



Gravitational-wave Waveform





Gravitational Waveform Models

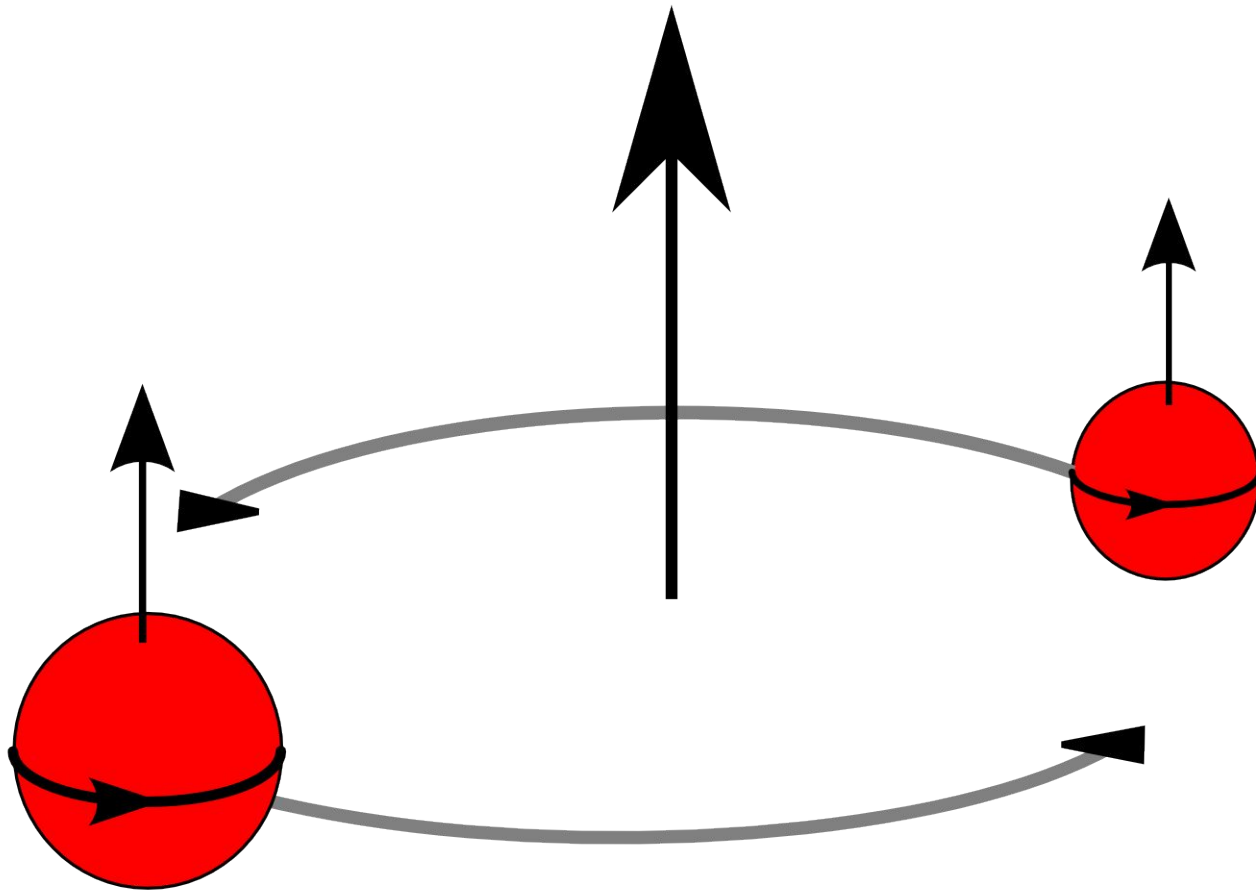
Some key sources of information

- Numerical Relativity
 - Can be very accurate
 - Slow (tradeoff in how long a waveform to generate)
- post-Newtonian
 - Valid for low velocity regime ($v / c \ll 1$)
 - Valid for early inspiral and binary neutron star waveforms
 - Models include TaylorF2 (used to detect GW170817)

Inspiral-merger-ringdown models

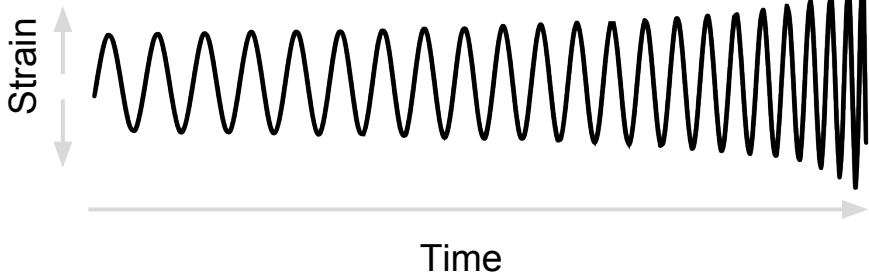
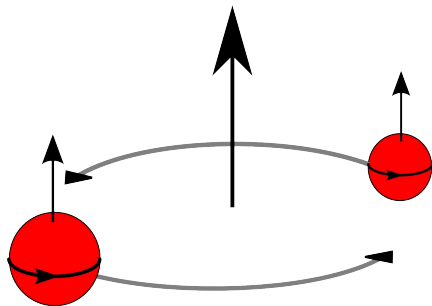
- Combine post-Newtonian and fits to numerical relativity
- Models include the EOBNR (effective one-body NR) family of waveforms and the IMRPhenom family of waveforms.

Binary System

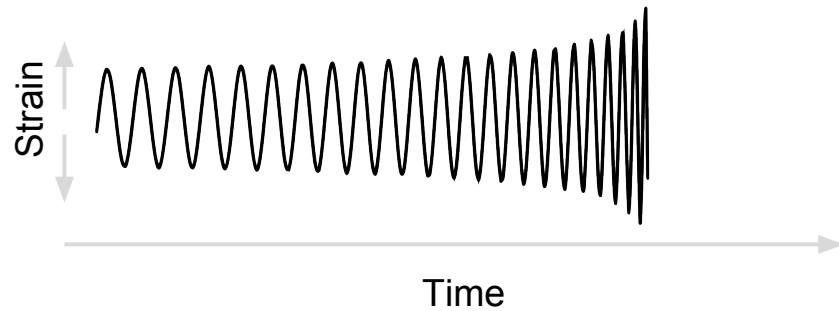
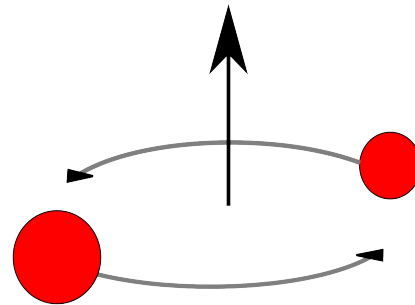




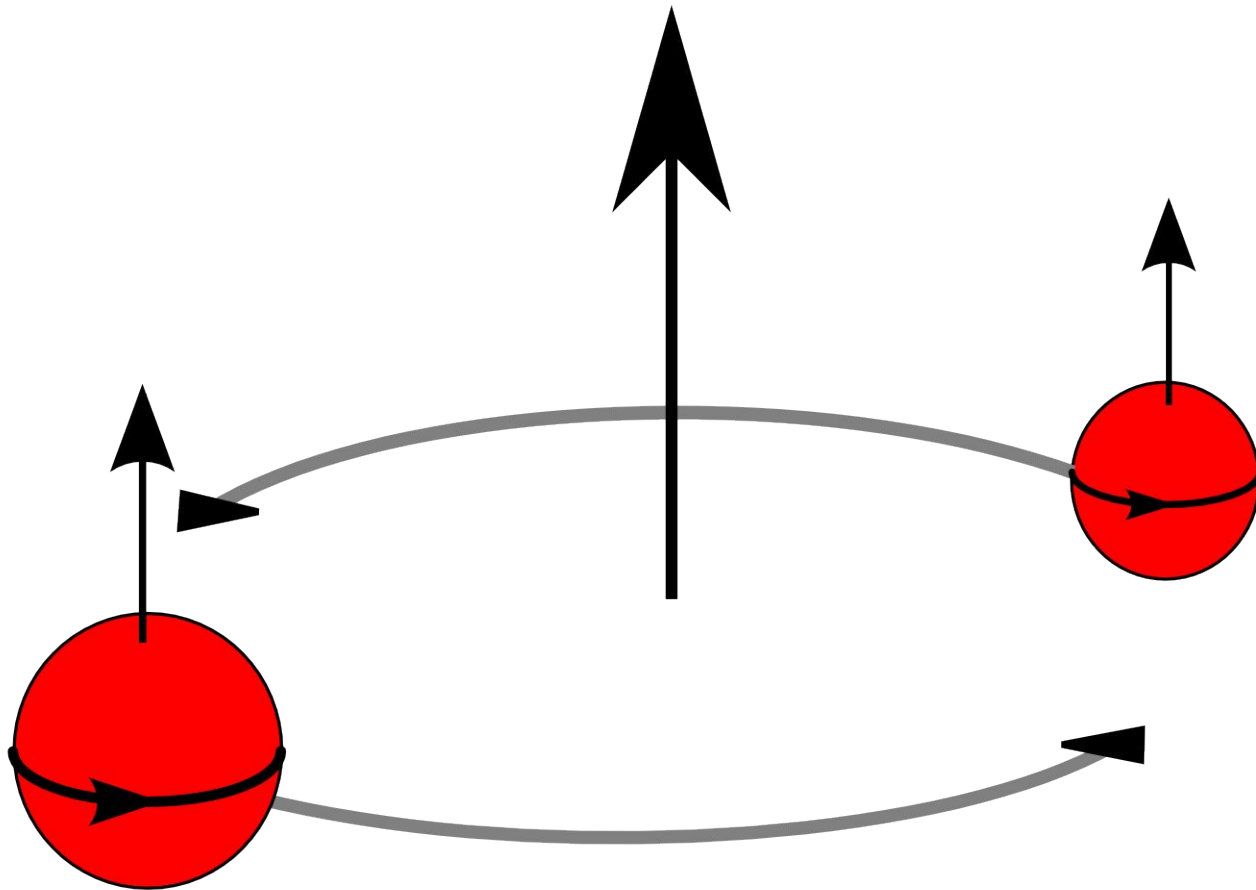
Aligned Spin



Non-spinning



Binary System





Building a bank of templates

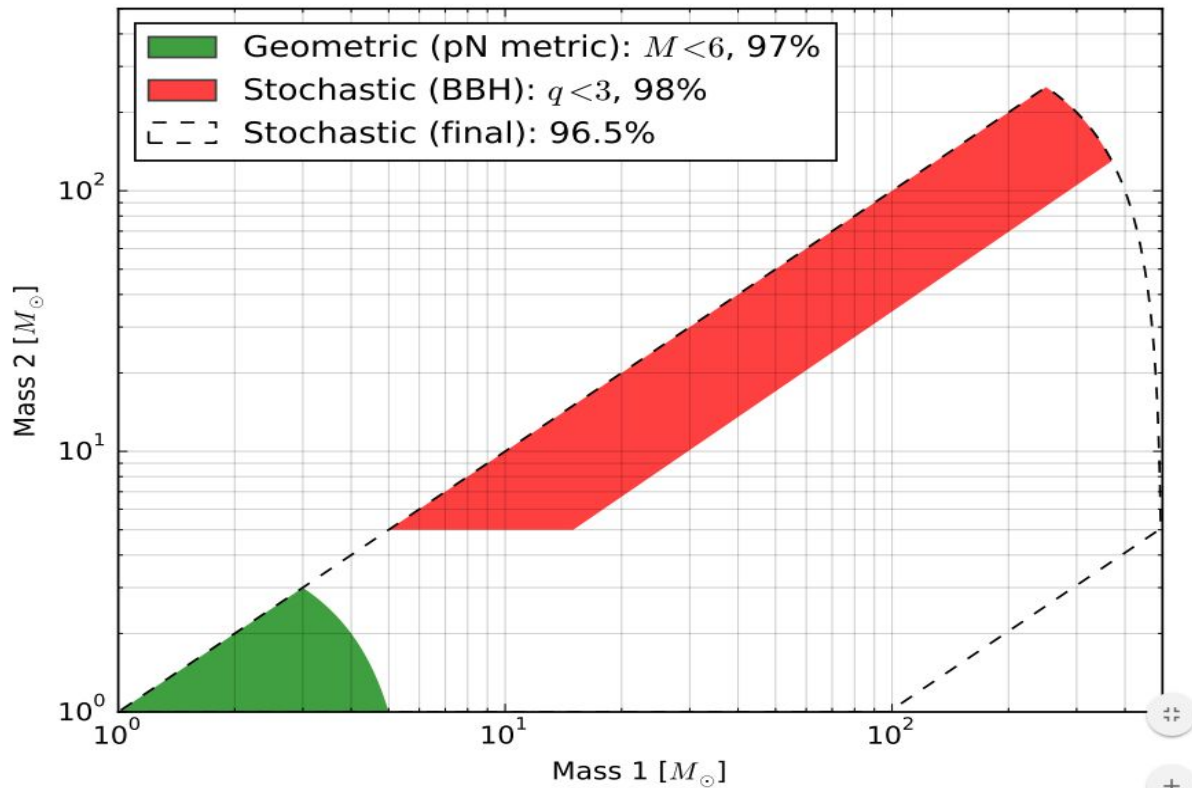
- What is the metric?
 - Mis-match between templates as a function of waveform parameters
- Construction
 - Stochastic placement
 - A geometric lattice can be built where an analytic and flat metric is known (only for low mass systems)
- What effects do we model in our bank of template waveforms?
 - Component mass of each object
 - Spin aligned with the orbital angular momentum
 - Only the dominant mode (spherical harmonics)
- What is not (yet) included?
 - Matter effects (tidal deformability, spin-quadrupole)
 - Spin *not* aligned with the orbital angular momentum. This leads to precession.
 - Eccentricity of the orbit

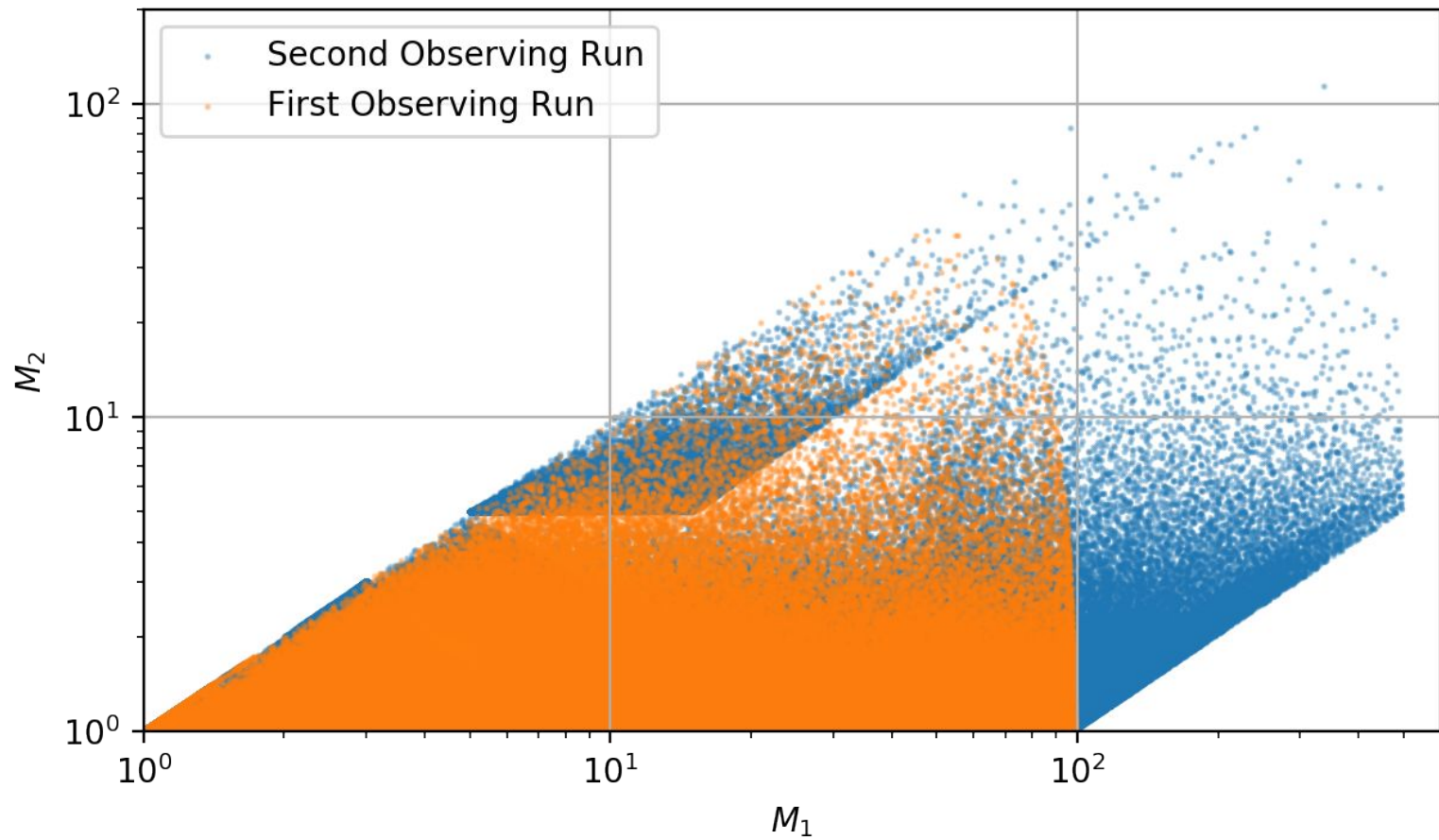
$$(a|b) = 4 \int_0^\infty \frac{\tilde{a}(f)\tilde{b}^*(f)}{S_n(f)} df$$

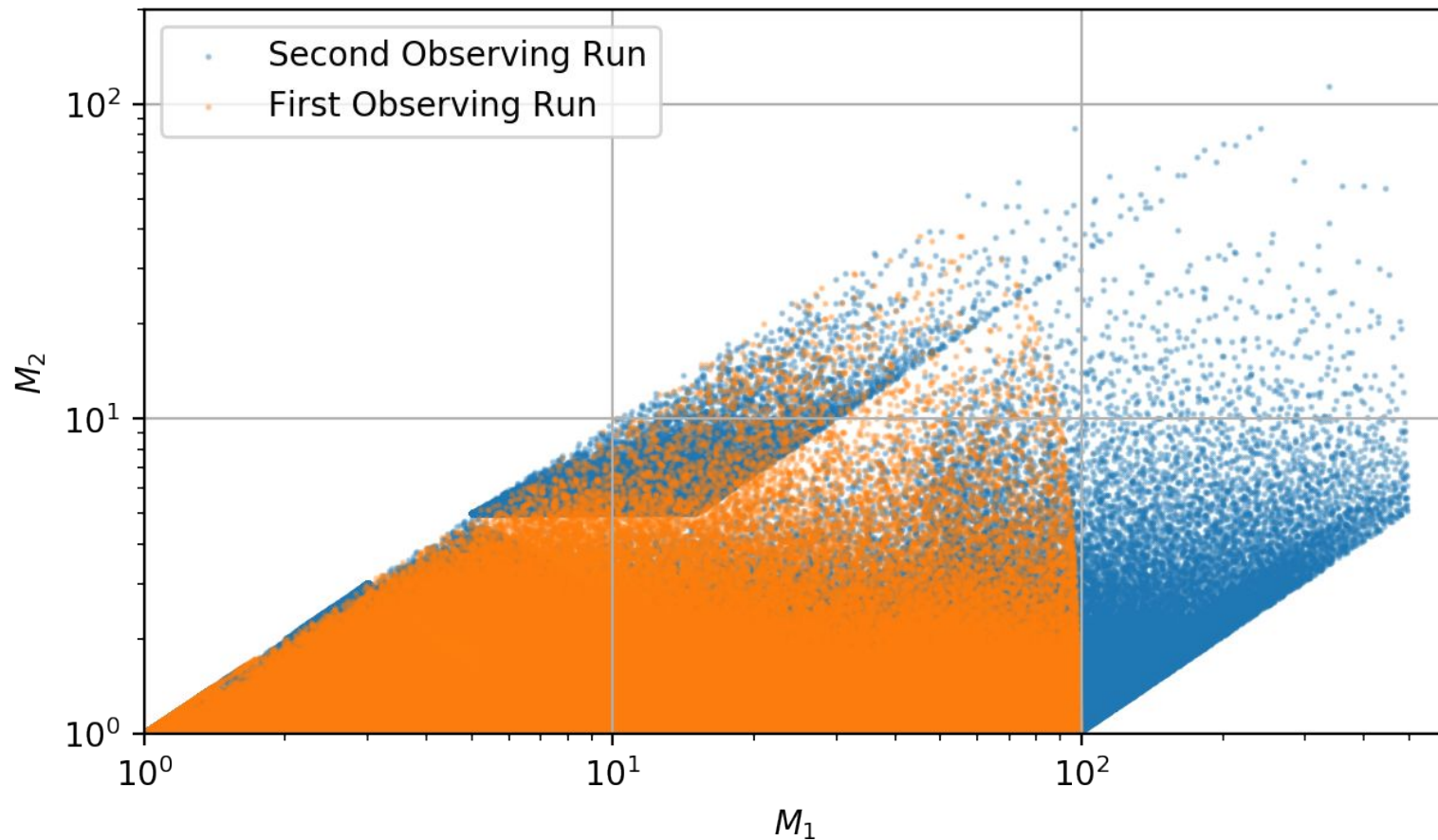
$$m = \frac{(a|b)}{\sqrt{(a|a)}\sqrt{(b|b)}}$$

Require that we lose no more than 10% of signals anywhere in our parameter space.

Bank of Waveforms in the Second Observing Run



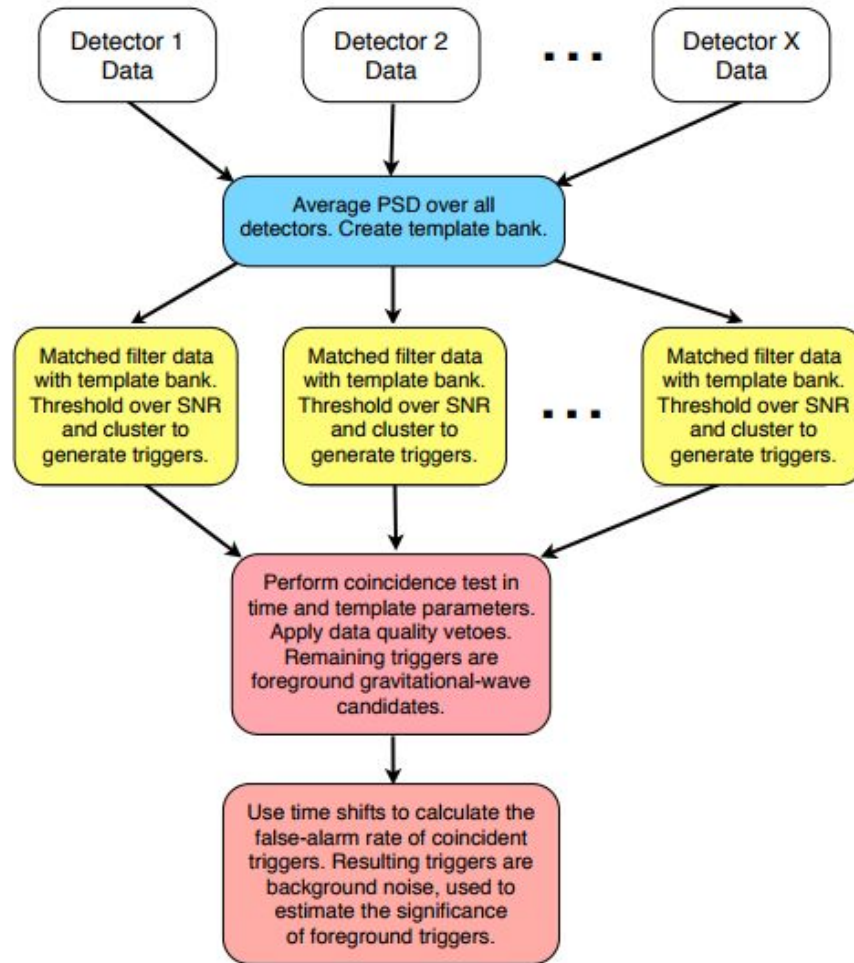


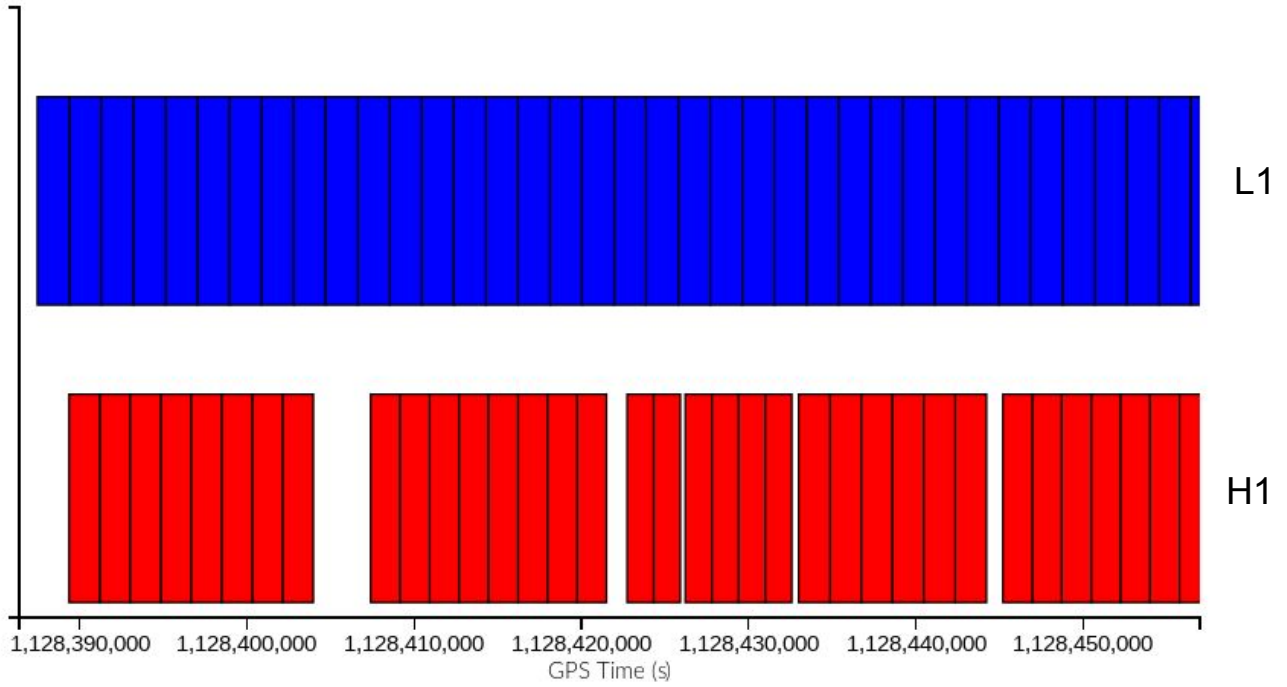


Available for download!

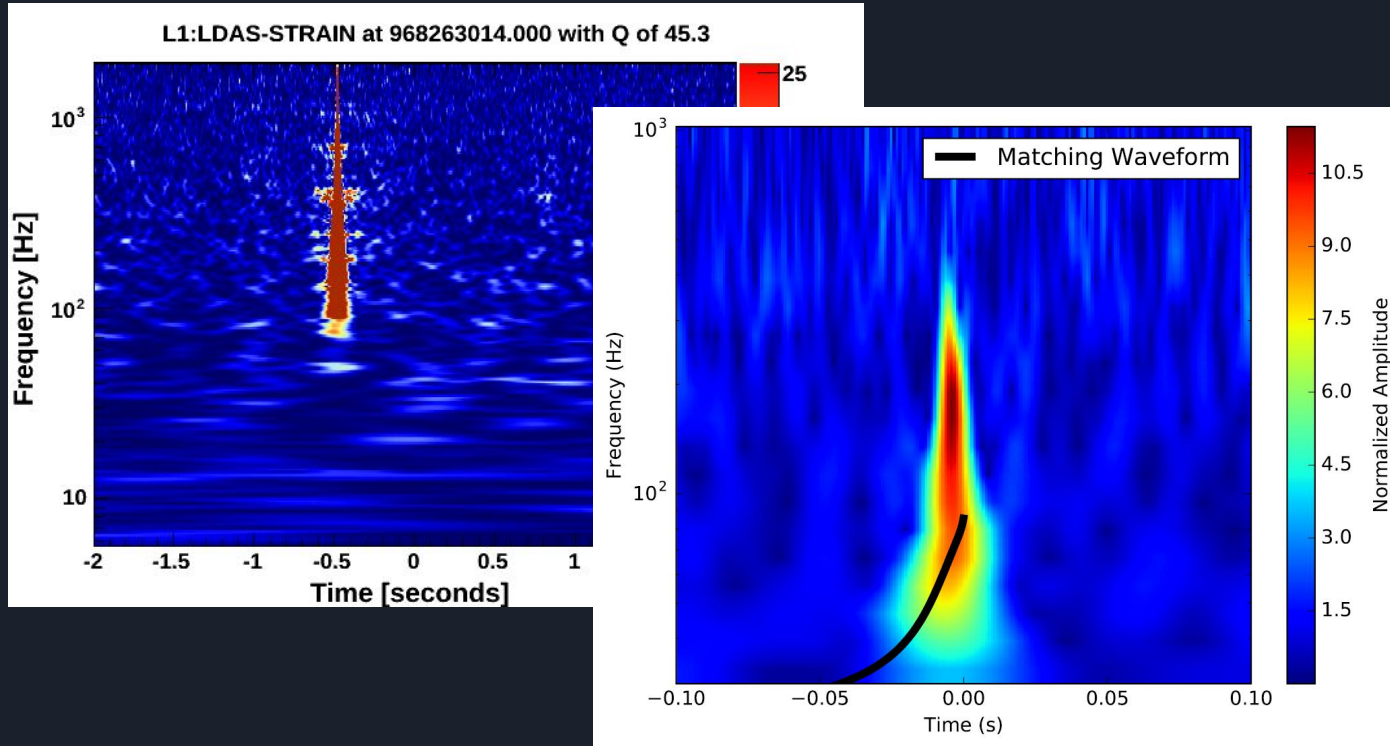
<https://github.com/ligo-cbc/pycbc-config/tree/master/O1/bank>


<https://github.com/ligo-cbc/pycbc-config/tree/master/O2/bank>





... but our data is not entirely Gaussian!





How to survive encounters with non-Gaussian noise

- Check auxiliary channels for environmental and instrumental causes
 - Apply CAT1 / CAT2 vetoes

**Refer back to Data Quality
Talk by
Jess McIver**

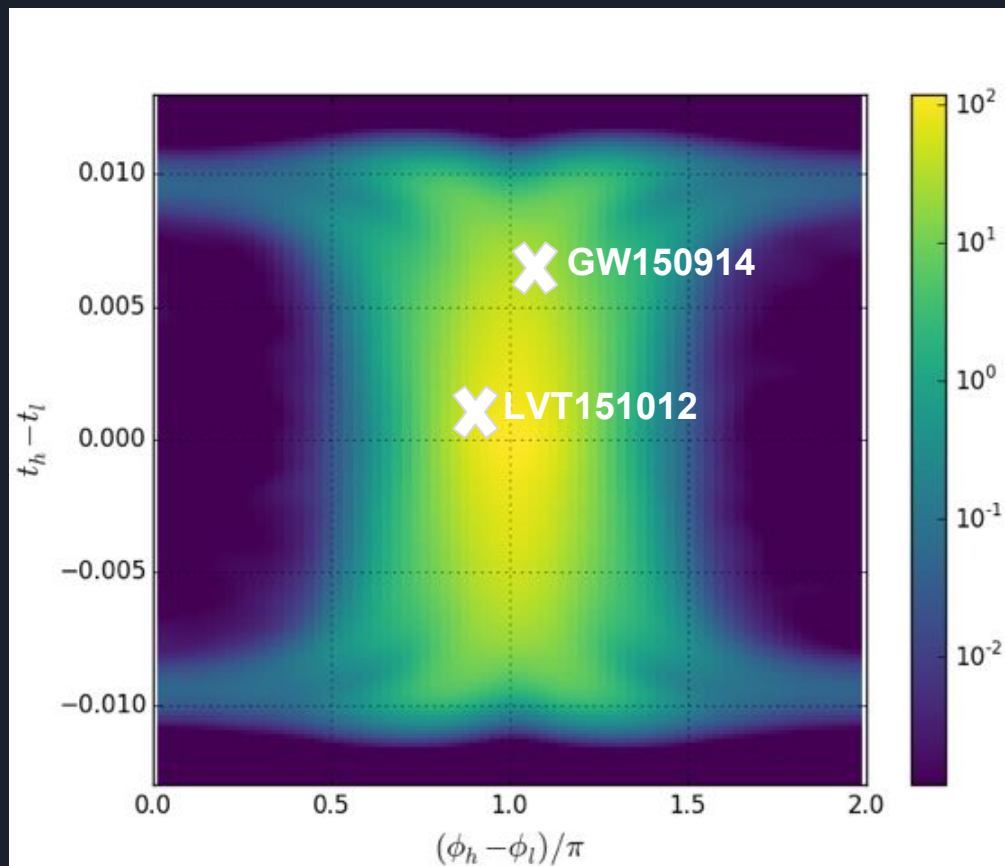
How to survive encounters with non-Gaussian noise

- Witness by Multiple Observatories
 - Within light travel time between the observatories
 - Relative amplitude and phase of observed signal consistent with astrophysical source
 - Signal morphology is consistent between observatories
- Consistency between signal model and observed data
 - SNR contribution by frequency band
 - Autocorrelation function
 - SNR distribution over template bank

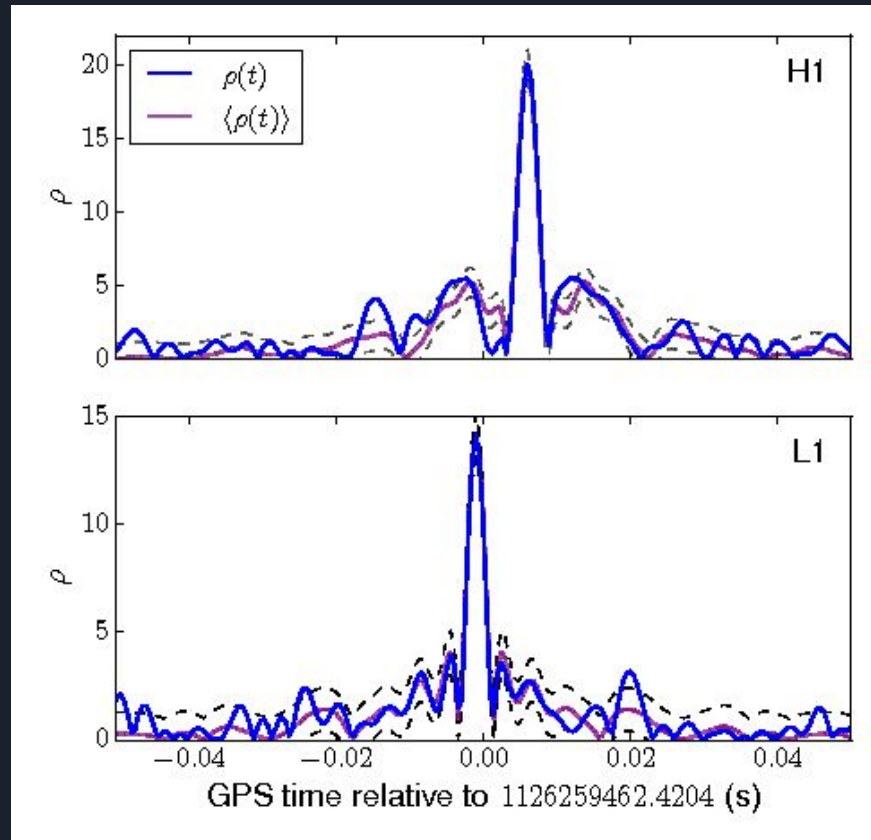


Phase and Time Consistency (new in O2)

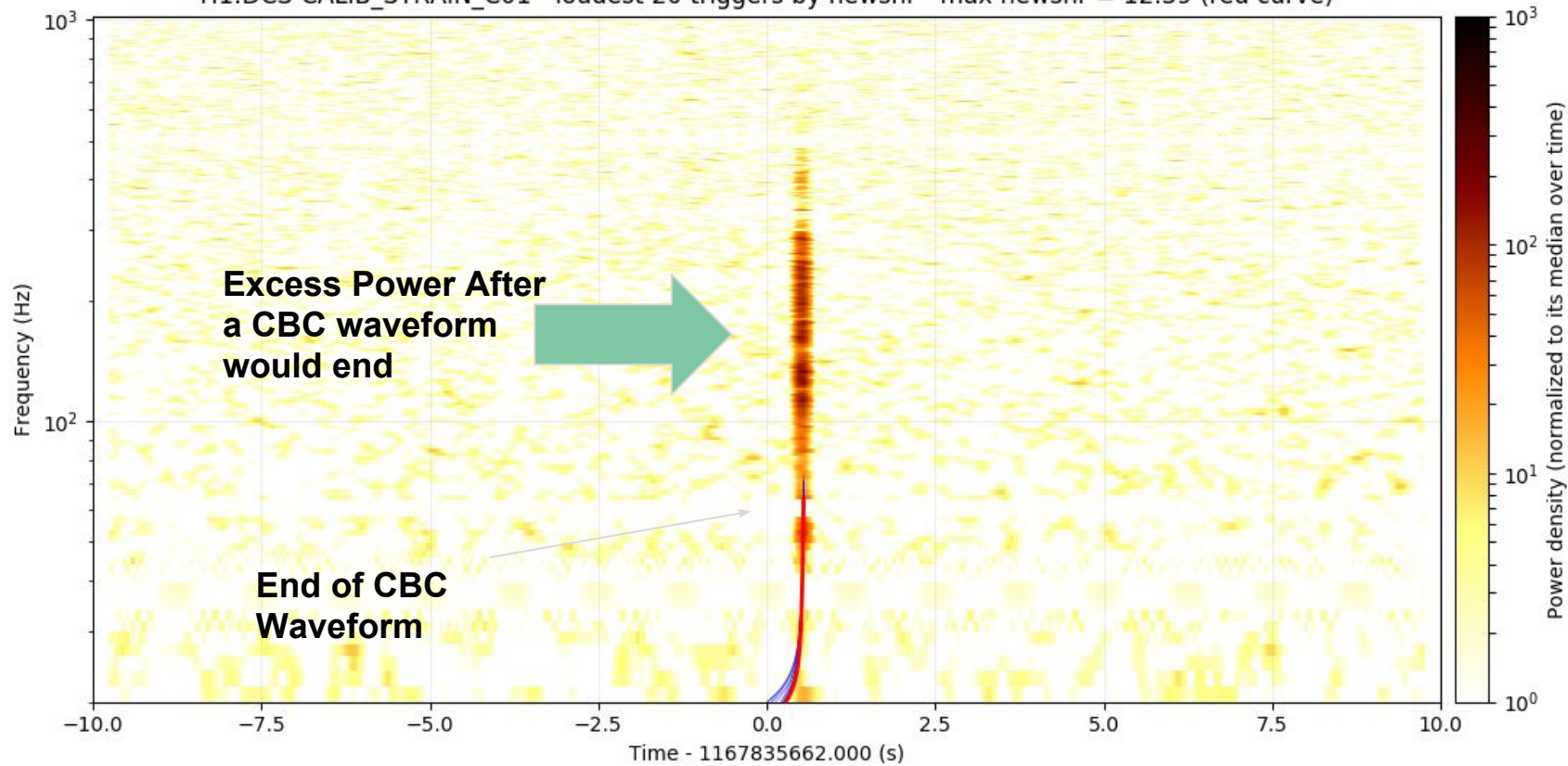
- Any phase difference and time delay $< \sim 10$ ms is possible between 2 detectors
- Due to the antenna pattern of the detectors, signals are more likely to have certain phase and time differences.
- Noise has a uniform distribution



Autocorrelation



H1:DCS-CALIB_STRAIN_C01 - loudest 20 triggers by newsnr - max newsnr = 12.39 (red curve)

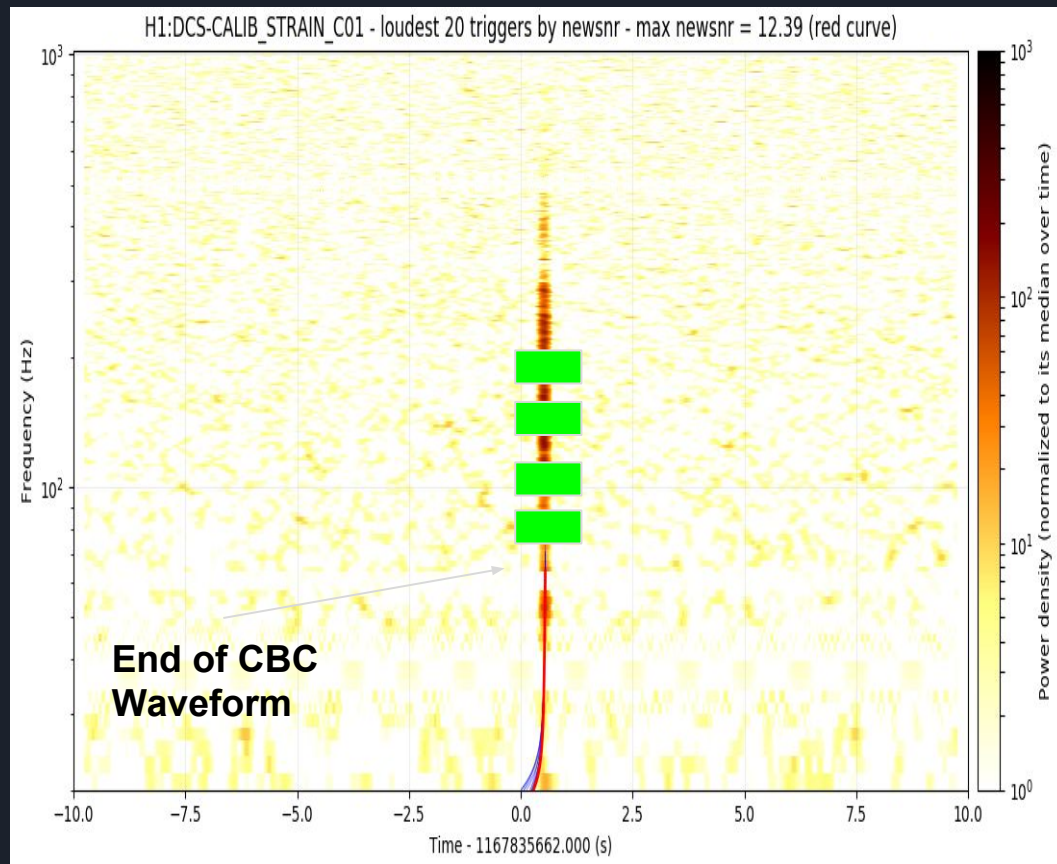


**Excess Power After
a CBC waveform
would end**

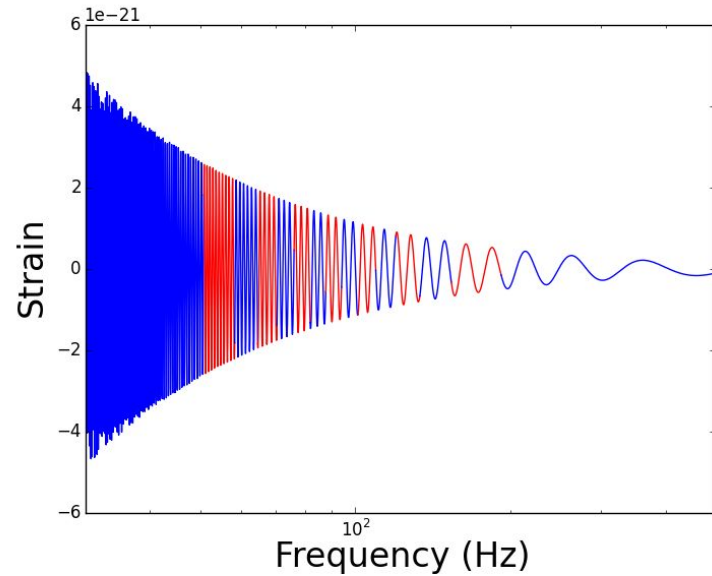
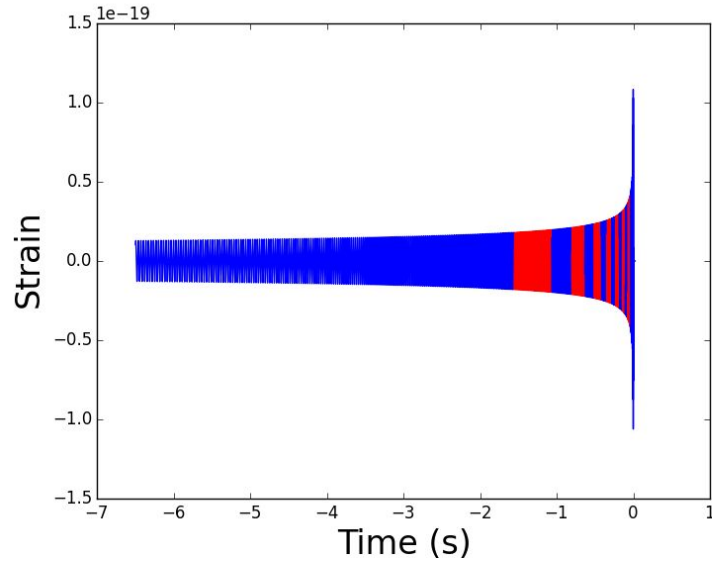
**End of CBC
Waveform**

Look for Excess Power

- For each trigger, look for excess power at frequencies beyond where the template waveform should have ended.
- Tiles of Sine-Gaussians with configurable Q and central frequencies
- Define a new χ^2 based on the sum of the squared SNRs




Distribution of SNR contributions by frequency band



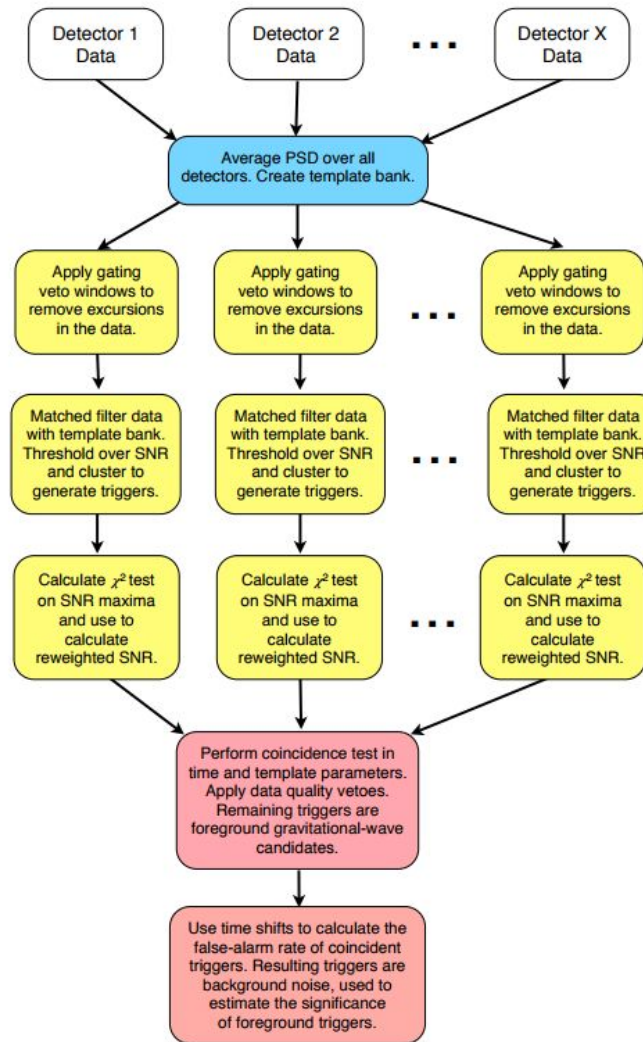
Divide the template into frequency bands of equal expected power

$$\chi^2 \propto \sum (\rho_l - \rho/N_{bins})^2$$



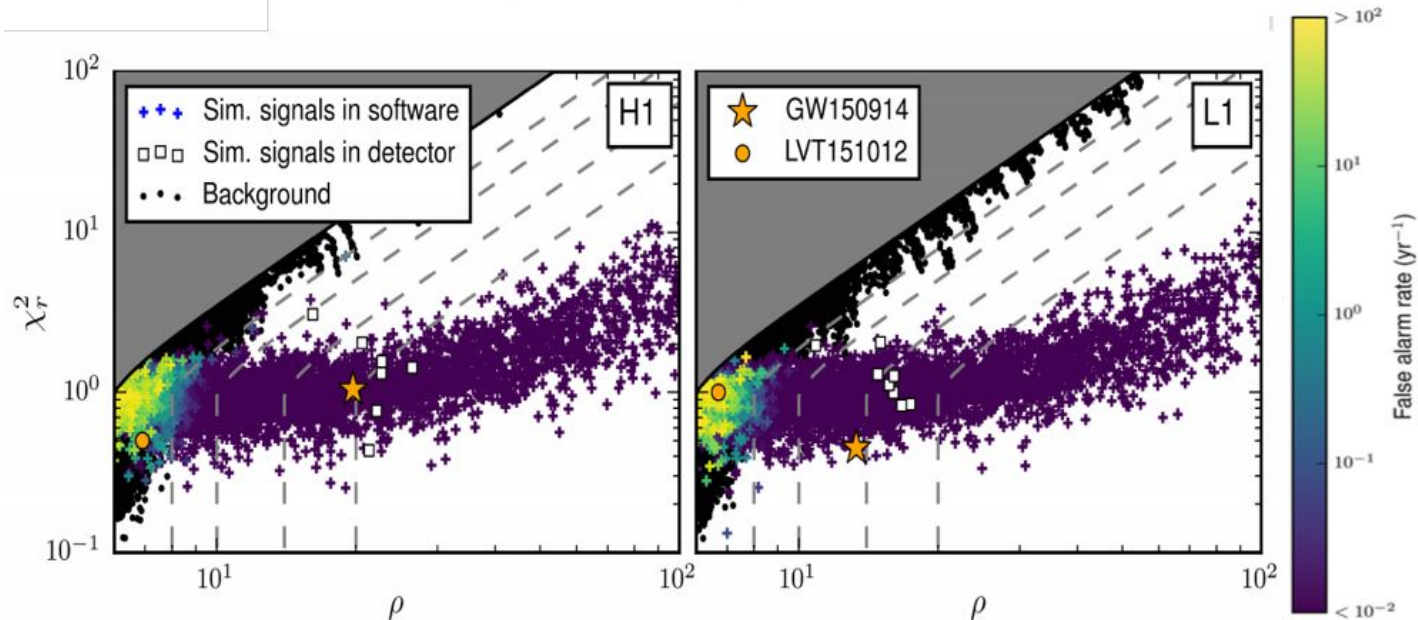
How we searched for gravitational waves in O1 (pycbc)

- Make use of how SNR is accumulated as a signal consistency test
- Require observation by *both* LIGO observatories
 - Require that SNR peaks be observed within 15 ms of each other
- Require that the *same* template finds a candidate event



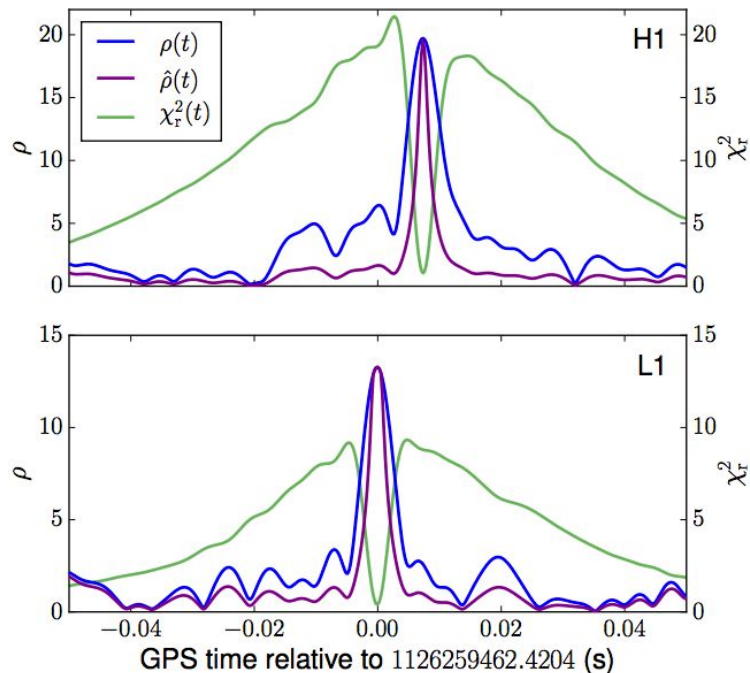
Suppressing non-Gaussian noise

Re-weight the SNR
by a time
frequency chisq

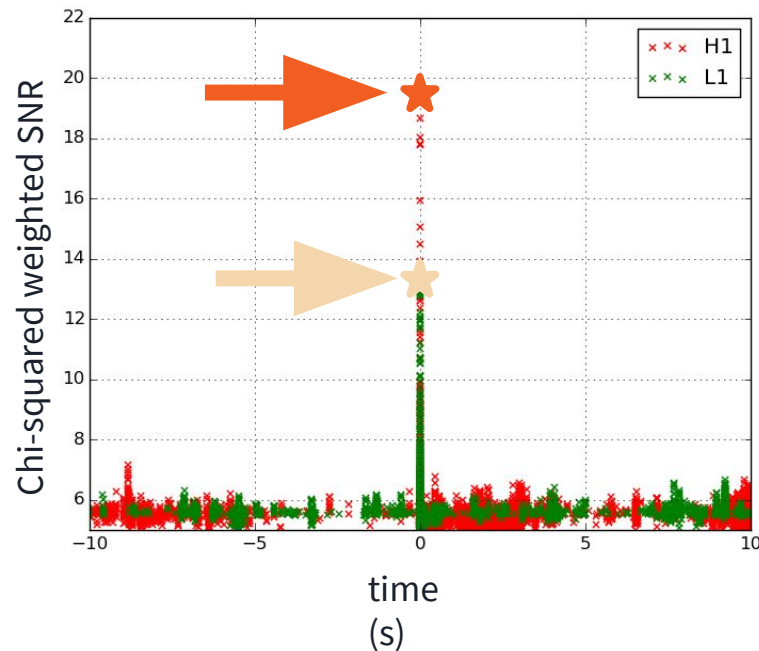


$$\hat{\rho} = \begin{cases} \rho & \text{for } \chi^2 \leq n_{\text{dof}} \\ \rho \left[\frac{1}{2} \left(1 + \left(\frac{\chi^2}{n_{\text{dof}}} \right)^3 \right) \right]^{-\frac{1}{6}} & \text{for } \chi^2 > n_{\text{dof}}, \end{cases}$$

Examination of GW150914



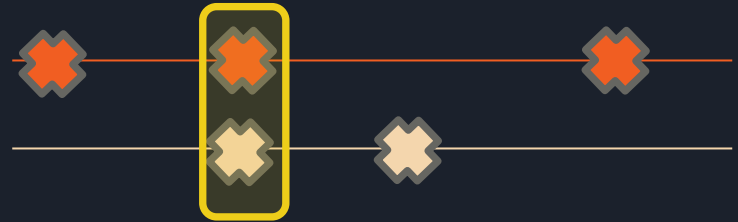
Abbot et al. 2016 arXiv:1602.03839



Ranking candidate events seen by multiple detectors

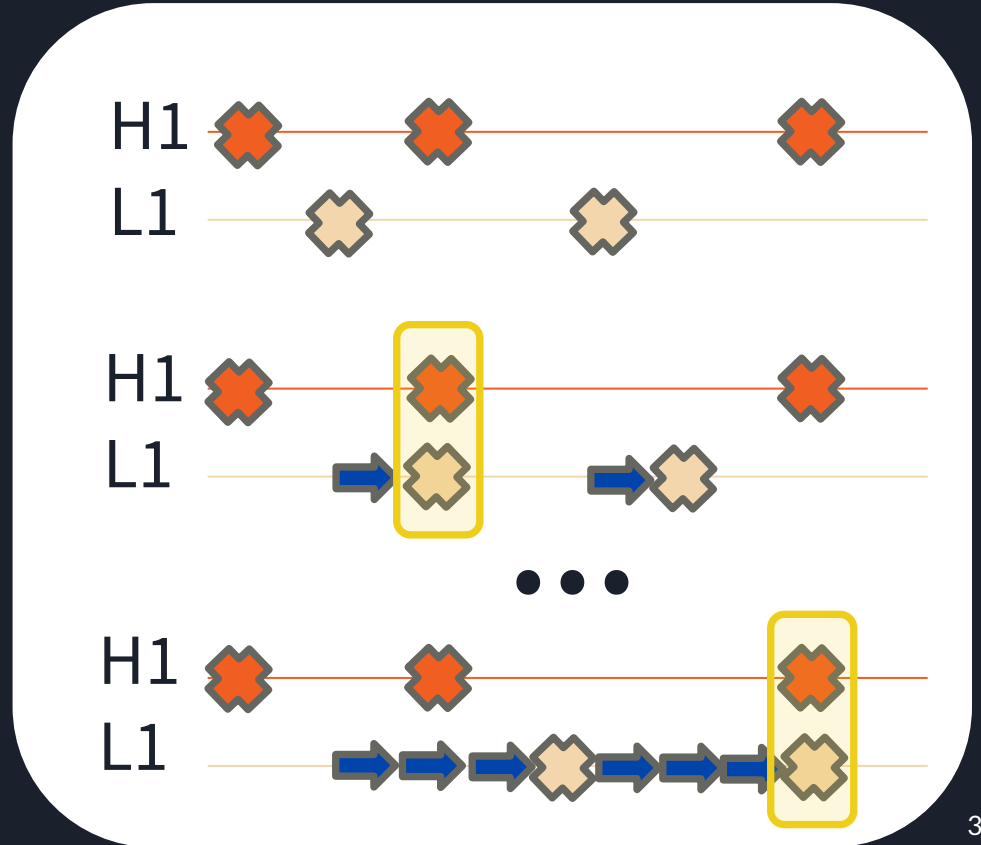
- Candidate events are ranked by the quadrature sum of the re-weighted SNRs from each observatory
- Events must be observed by two or more detectors within the light travel time and an allowance for timing error. (Currently total is +/- 15 ms)

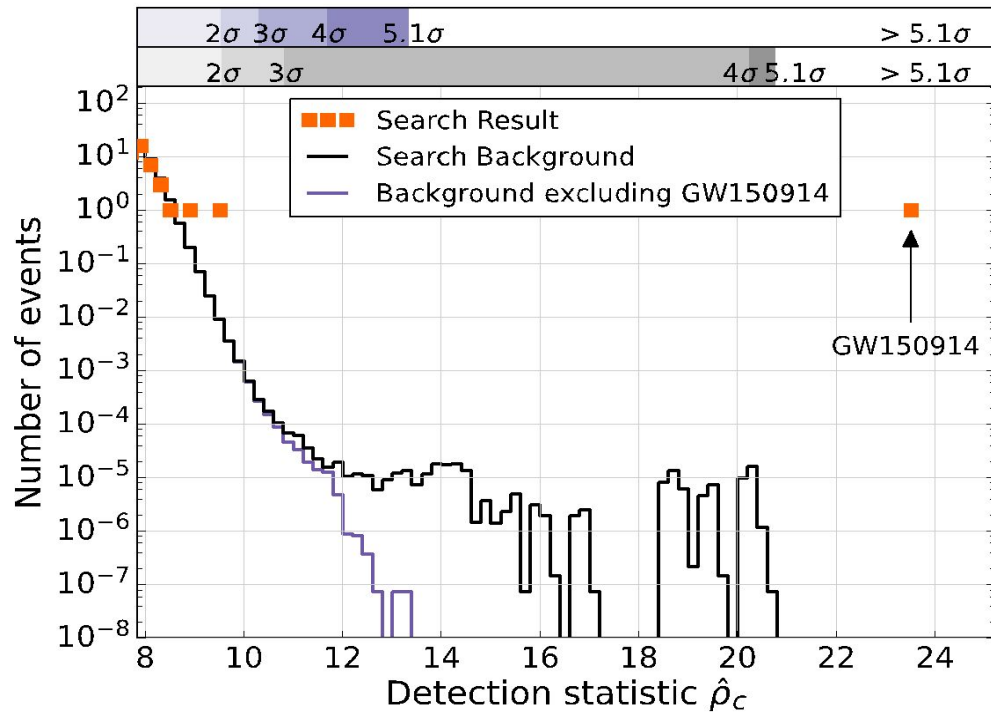
$$\hat{\rho}_c = \sqrt{\hat{\rho}_{H1}^2 + \hat{\rho}_{L1}^2}$$



Background Estimation

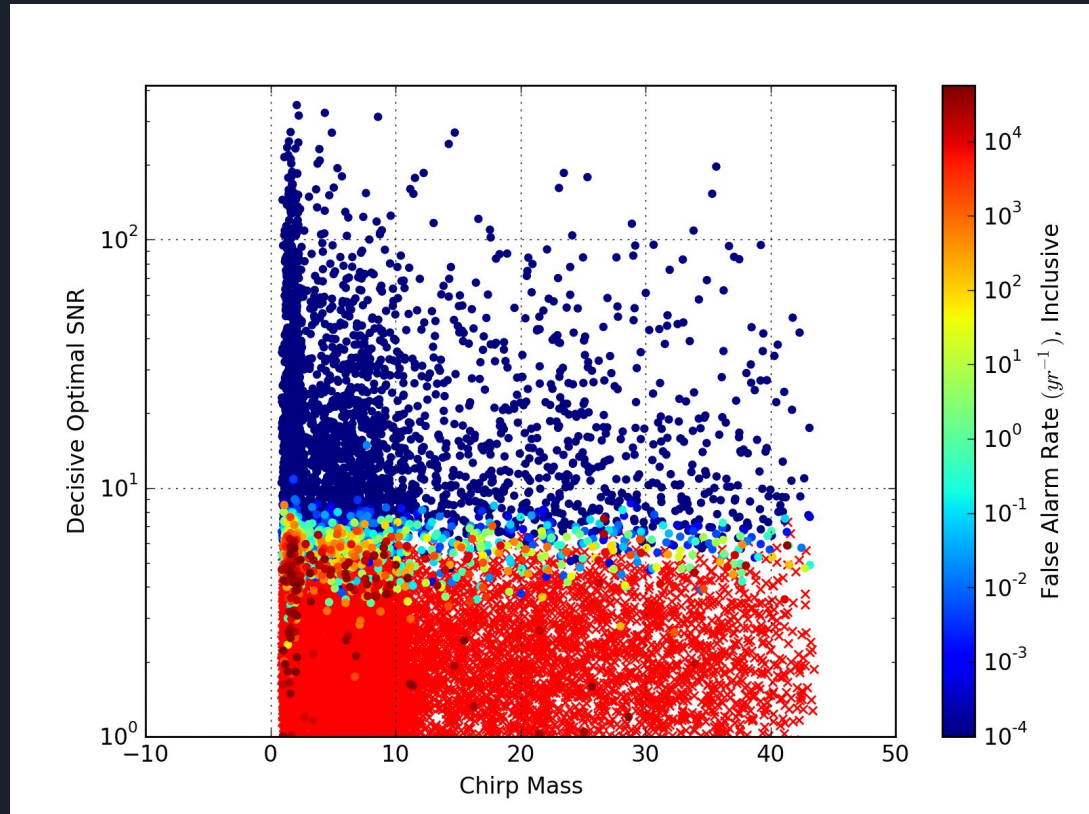
- We time shift the data of one detector relative to the other
- Coincidences in time slides are background triggers
- This assumes that the dominant noise sources in our background are not correlated in time between the two detectors.





Why do we think the analysis can detect signals?

Lots of simulated signals!



Questions?