

LIGO: illuminating gravity

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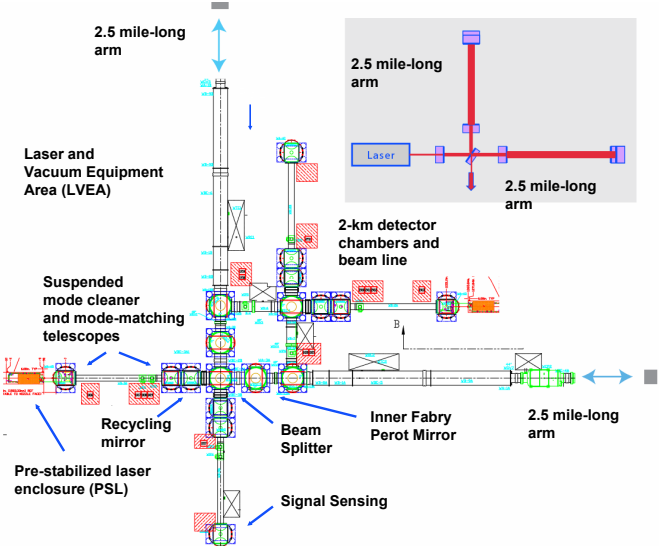


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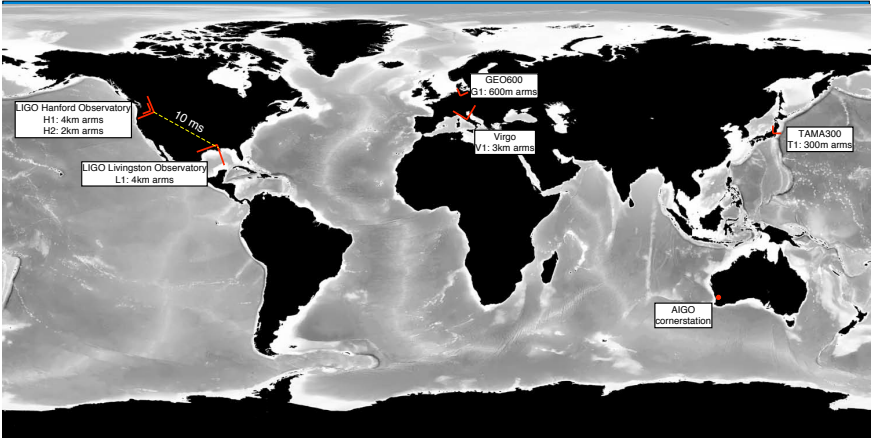
Interferometry

Figure: Blueprints for initial LIGO: sense changes between x and y



Interferometry

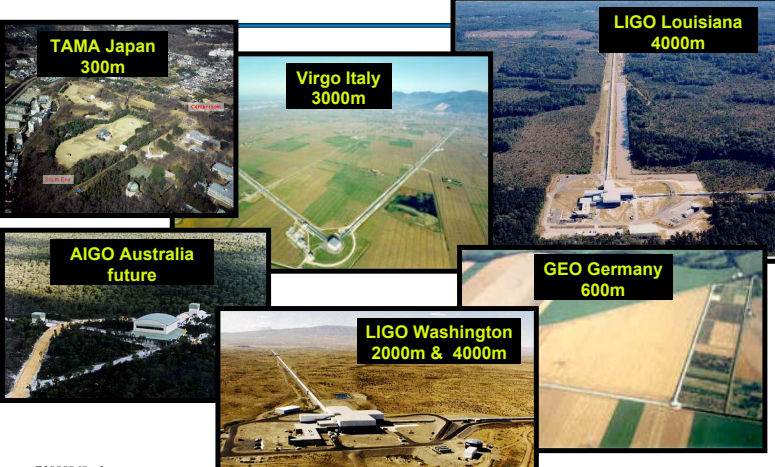
Figure: Worldwide network allows sky localization and coincident detection that checks against terrestrial noise



Credit: NASA's Earth Observatory

Interferometry

Figure: In reality: LIGO and VIRGO advancing; TAMA moving to LCGT; GEO now running as GEO HF with squeezing; AIGO Australia may be LIGO South



Theoria & praxis

Advanced LIGO instrumentation

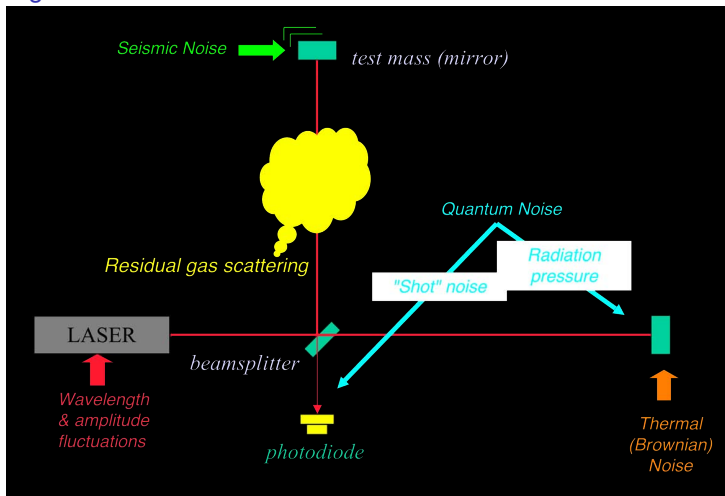
Power recycled Michelson interferometer with Fabry-Perot arms

Figure: Advanced LIGO upgrades

Parameter	LIGO	Advanced LIGO
Stored Laser Power	20 kW	800 kW
Mirror Mass	10 kg	40 kg
Interferometer Topology	Power-recycled Fabry-Perot arm cavity Michelson	Dual-recycled Fabry-Perot arm cavity Michelson
GW Readout Method	RF heterodyne	DC homodyne
Optimal Strain Sensitivity	3×10^{-23} / rHz	Tunable, better than 5×10^{-24} / rHz in broadband
Seismic Isolation Performance	$f_{low} \sim 50$ Hz	$f_{low} \sim 10$ Hz
Mirror Suspensions	Single Pendulum	Quadruple pendulum

Theoria & praxis

Figure: Sources of noise that limit LIGO



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Figure: LIGO Hanford laser vacuum equipment area: **almost** noise-proof, showing beam tubes, BSC and HAM chambers, and clean rooms



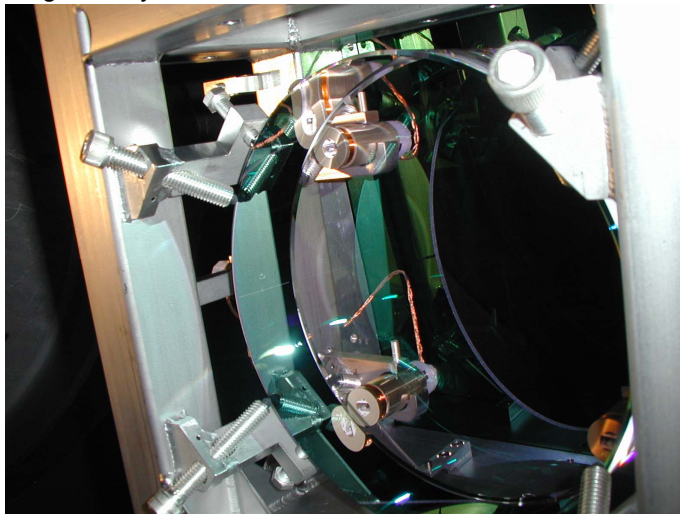
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Figure: Stabilized laser (Nd:YAG, 1064 nm, 20 W) with frequency-stabilizing reference cavity and pre-mode cleaner



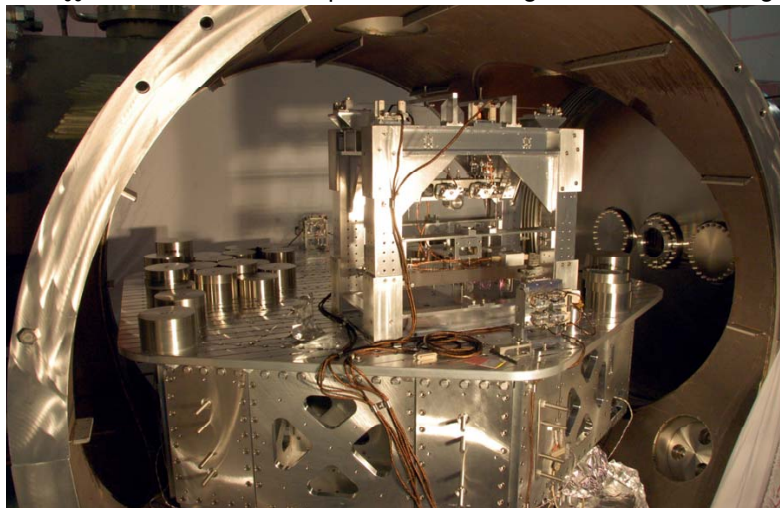
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Figure: Initial LIGO core optic: 25 cm wide, 10 cm thick, surface-uniformity 2 nm rms, absorption 2 ppm, magnetically-actuated



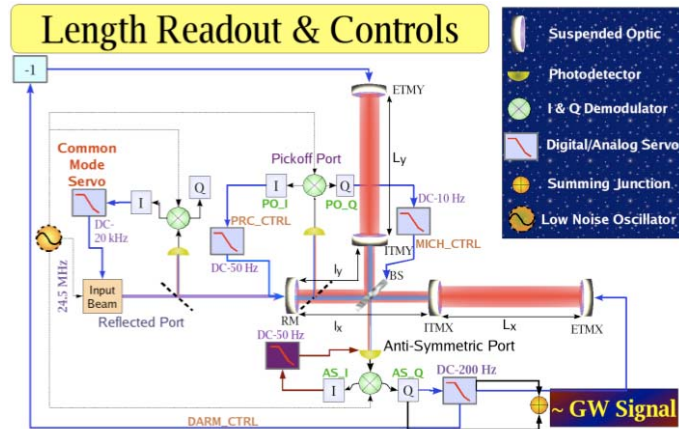
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Figure: Output mode cleaner extracts pure, unscattered light in the TEM_{00} Gaussian beam shape that contains gravitational wave signals



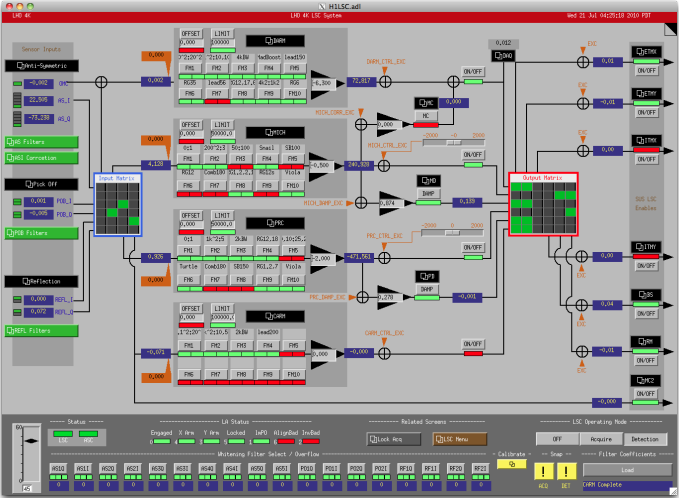
Length sensing and control channels

Figure: Schematic servo loops for four core optic parameters (DARM, CARM, MICH, PRC respectively the differential motion of the end mirrors ETMX and ETMY, their common motion, and differential and common for the inner mirrors ITMX and ITMY)



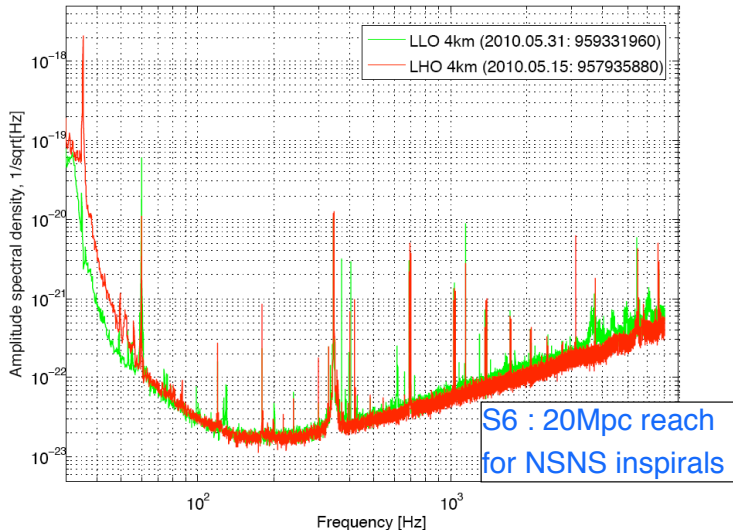
Length sensing and control channels

Figure: DARM (differential arm) and MICH (inner Michelson) servo in the EPICS-based MEDM control screen; LIGO records about 3e4 channels and uses most in digital servos



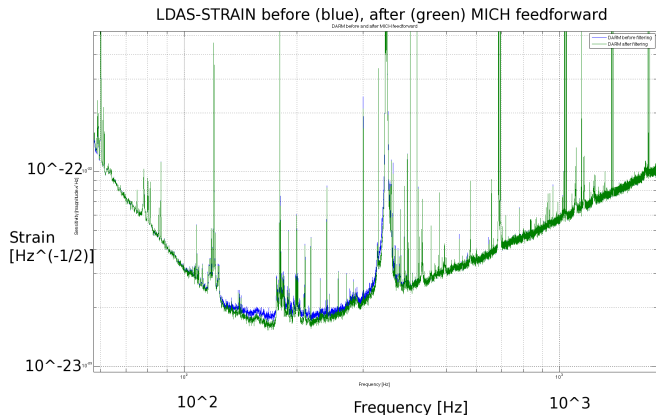
Noise curve

Figure: Noise curve for enhanced LIGO, showing better high frequency performance at LHO (Hanford) with stronger laser and better low frequencies at LLO (Livingston) thanks to seismic isolation



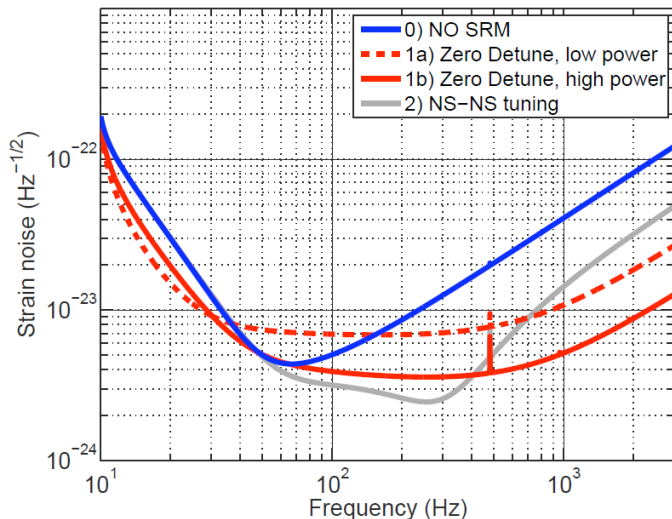
Noise curve

Figure: Noise after a new automated filtering algorithm for feedforward subtraction of an auxiliary channel, possible both in real time and in post processing



Noise curve

Figure: Predicted noise curve for advanced LIGO, showing gains simply due to better seismic isolation, laser, and test mass as well as with signal recycling mirror (SRM)



Advanced LIGO

Advanced LIGO upgrades

100+ W laser

4 passive + 3 active stage suspension for seismic isolation

40 kg fused silica test masses

electrostatic mirror actuation

signal recycling

*Range may improve from 20 to 200 Megaparsec
(for 1.4-1.4 solar mass inspirals)*

Advanced LIGO

Figure: Removing old: deinstall makes way for new in view inside BSC vacuum chamber holding core optic suspension



Advanced LIGO

Figure: Side-by-side comparison of external seismic isolation on top of blue pillars: old (left), new HEPI (right)



Quantum squeezing

Explore beyond-Advanced LIGO techniques

Heisenberg uncertainty allows any distribution of Δx , Δp
(conjugate variables x , p)

such that $\int (\Delta x)(\Delta p) dx dp = \hbar/2$

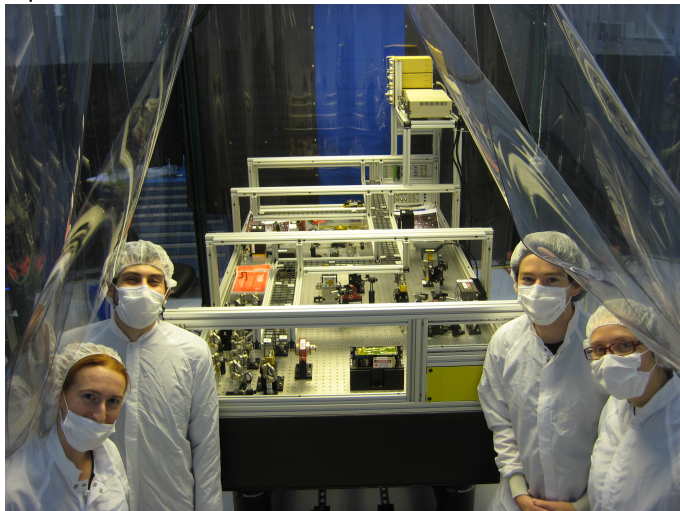
Squeezing is a nonlinear effect that tailors Δx , Δp .

Phase and amplitude are conjugate; desire phase data

3 to 6 dB quantum vacuum squeezing experiment

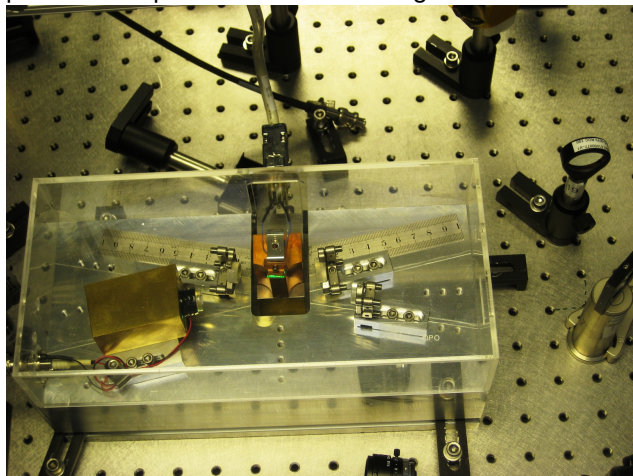
Quantum squeezing

Figure: (Some) squeezers (Sheila, Grant, Conor, Lisa) in front of optics table containing lasers and opto-electronics for generating squeezed vacuum



Quantum squeezing

Figure: Optical parametric oscillator (OPO) contains PPKTP crystal in a doubly-resonant bowtie-shaped cavity, which makes frequency-mirrored photons to cancel the phase noise of noisy virtual photons – squeezed vacuum emerges



Conclusions




Conclusions

- 1 General relativity predicts gravitational waves
- 2 Advanced LIGO installation is now!
- 3 Gravitational waves will reveal an invisible cosmos

Acknowledgments

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Bibliography

-  R. Adhikari, Ph.D. thesis, Massachusetts Institute of Technology (2004).
-  S. Ballmer, Ph.D. thesis, Massachusetts Institute of Technology (2006).
-  B. Abbott and et al, Phys. Rev. D **76**, 082001 (2007).

General relativistic gravitational waves

$$g_{\mu\nu} \approx \eta_{\mu\nu} + h_{\mu\nu}, \text{ where } |h_{\mu\nu}| \ll |\eta_{\mu\nu}|$$

$$-\frac{1}{2}\square \left(h_{\mu\nu} - \frac{1}{2}\eta_{\mu\nu}h^\lambda{}_\lambda \right) = \frac{8\pi G}{c^4} T_{\mu\nu} \equiv 0$$

$$\rho_{gw} = \frac{c^2}{16\pi G} \left\langle |\partial_t h_+|^2 + |\partial_t h_\times|^2 \right\rangle$$

$$P = \frac{G}{5c^5} \left\langle \left(\partial_t^3 I_{ij} \right)^2 \right\rangle$$

$$\rightarrow P \approx \left(5.5 \times 10^{-54} \text{ W}^{-1} \right) \left\langle \left(\partial_t^3 I_{ij} \right)^2 \right\rangle$$

[Adhikari(2004), Ballmer(2006)]

Sources and neutron stars

	Definite waveform	Indefinite waveform
Short duration	Inspiral ¹	Burst ²
Long duration	Pulsar ³	Stochastic ⁴

Inspiral¹: *compact binary coalescence*

Burst²: *supernova*

Pulsar³: *continuous wave*

Stochastic⁴: *gravitational wave background*

Sources and neutron stars

Neutron stars

$$\epsilon = \frac{I_{xx} - I_{yy}}{I_{zz}}$$

$$h_0 = \frac{4\pi^2 G}{c^4} \frac{I_{zz} f^2}{r} \epsilon$$

$$\tau_{gw}(f) \equiv \frac{f}{|4\dot{f}|}$$

$$h_0(f) = \frac{1}{r} \sqrt{\frac{5G I_{zz}}{8c^3 \tau_{gw}(f)}}$$

[Abbott and et al(2007)]

Interferometers

$$T_s = \int_0^{\frac{2L_s}{c}} \sqrt{|g_{ss}|} dt$$

$$\sqrt{|g_{xx}|} \approx \left(1 - \frac{h_+}{2}\right)$$

$$\sqrt{|g_{yy}|} \approx \left(1 + \frac{h_+}{2}\right)$$

[Adhikari(2004), Ballmer(2006)]

Interferometers

Interferometers

$$T_y - T_x = \int_0^{\frac{2L}{c}} \frac{h_+(t, x(t)) + h_+(t, y(t))}{2} dt,$$

$$\Delta\phi = \omega(T_y - T_x),$$

$$P \propto E^2 \left| 1 + e^{i\Delta\phi} \right|^2 = 2E^2(1 + \cos \Delta\phi)$$

P power illuminates photodiode

(improve by higher laser power and power recycling)

$\Delta\phi$ determines fringe phase shift

(improve by increasing storage time in arms)

Syllabus

Enhanced LIGO instrumentation

Power recycled Michelson interferometer with Fabry-Perot arms

- Hanford, Washington and Livingston, Louisiana observatories
- 4 km perpendicular beam tubes
- 10^{-9} torr vacuum
- 20 W Nd:YAG 1064 nm laser
- 10 kg fused silica primary optics
- 4 stage seismic isolation
- Laser frequency stabilization
- Angular sensing and control (wavefront sensors, optical levers)
- Length sensing and control (magnet coils, common mode)
- Pre, input, and output mode cleaning
- Power recycling
- Digitally filtered servos and readout